

FOREIGN EXCHANGE RISK

FINANCIAL INSTITUTIONS MANAGEMENT
KIMEP

AGENDA: FOREX RISK

- Sources of foreign exchange risk and FX trading activities;
- FX risk and hedging: futures, forwards, swaps
- Estimation of Basis risk
- Interest rate Parity Theorem

Sources of FX Risk

- Spot positions denominated in foreign currency
- Forward positions denominated in foreign currency
- **Net exposure = (FX assets - FX liabilities) + (FX bought - FX sold)**
- Net long position in currency = FI bought more currency than it has sold or have more FX assets than liabilities.
- Net short position in currency = FI has sold more foreign currency than it has purchased or have more FX liabilities than assets.

Problem 1

- Bank has Euro 14 million in assets and Euro 23 million in liabilities and has sold Euro 8 million in foreign currency trading.
- a) What is the net exposure for the Bank?
- b) For what type of exchange rate movement does this exposure put the bank at risk?

FX Risk Exposure

- Greater exposure to a foreign currency combined with greater volatility of the foreign currency implies greater DEAR.
- Dollar loss/gain in currency i
= [Net \$ exposure in foreign currency i] ×
Shock (Volatility) to the \$/Foreign currency i
exchange rate

Trading Activities

- Basically 4 trading activities:
 - Purchase and sale of currencies to complete international transactions.
 - Facilitating positions in foreign real and financial investments.
 - Accommodating hedging activities.
 - Speculation.

Foreign Assets & Liabilities

- Mismatches between foreign asset and liability portfolios.
- Ability to raise funds from internationally diverse sources presents opportunities as well as risks:
 - Greater competition in well-developed (lower risk) markets.

Return and Risk of Foreign Investments

- Returns are affected by:
 - Spread between costs and revenues
 - Changes in FX rates
 - Changes in FX rates are not under the control of the FI

EXAMPLE: FI issued \$200 mill one-year CDs at 8% and invested proceeds in one-year US dollar loan (50%) at 9% and one-year sterling loan (50%) at 15%. Spot exchange rate is 1.6\$/£

- $\$100\text{mill}/1.6 = \text{£}62.5 \text{ mill}$
- Invest £62.5 mill in loans at 15%
- The revenue by the end of the year = $\text{£}62.5 \text{ mill} \times 1.15\% = \text{£}71.875 \text{ mill}$
- Suppose that the spot exchange rate has fallen in value from \$1.6/£ to \$1.45/£ next year, hence
- $\text{£}71.875 \text{ mill} \times \$1.45/\text{£} = \$104.22 \text{ mill.}$
- Return on the investments is 4.22%
- The weighted return on the FI's asset portfolio =
- $0.5 \times 0.09 + 0.5 \times 0.0422 = 0.0661$ or 6.61% **that is less than the cost of funds 8%**

Risk and Hedging

- Hedge can be constructed on balance sheet or off balance sheet.
- **On - balance-sheet hedge** requires duration matching and currency matching.
- **Off-balance-sheet hedge** involves forwards, futures, options or swaps.
 - No balance sheet rebalancing;
 - No immediate cash flow only future contingent cash flow;
 - Lower costs and administration.
 - BUT, we have a default risk of counterparty.

On balance sheet hedging

- We match maturities and currency foreign asset-liability book: \$100 mill UK loans are financed by UK CDs at 11%, 100 mill US loans are financed by US CDs at 8%. Spotrate is 1.6\$/£.
- £ Depreciation to \$1.45/£

£ Cost of liabilities: $\$100\text{mill}/1.6 = \text{£}62.5 \text{ mill}$

$\text{£}62.5 \text{ mill} \times 1.11 = \text{£}69.375$

The repayment in Dollars: $\text{£}69.375 \times \$1.45/\text{£} = \100.59 mill

Cost of funds = 0.59%

Net return = $(0.5 \times 0.09 + 0.5 \times 0.0422) - (0.5 \times 0.08 + 0.5 \times 0.0059) = 6.61\% - 4.295\% = 2.315\%$

On balance sheet hedging

- £ appreciation to \$1.70/£, the return on British loan is equal to 22.188%

£ Cost of liabilities: $\$100\text{mill}/1.6 = \text{£}62.5 \text{ mill}$

$$\text{£}62.5 \text{ mill} \times 1.11 = \text{£}69.375$$

The repayment in Dollars: $\text{£}69.375 \times \$1.70/\text{£} = \117.94 mill

Cost of funds = 17.94%

$$\text{Net return} = (0.5 \times 0.09 + 0.5 \times 0.22188) - (0.5 \times 0.08 + 0.5 \times 0.1794) = 15.59\% - 12.969\% = 2.625\%$$

- **By directly matching its foreign asset and liability book, FI lock in an positive return or profit spread whichever direction the exchange rates change over investment period.**

Off balance sheet hedge with forward contracts

- $\$100\text{mill}/\$1.6/\text{£} = \text{£}62.5$ mill Invested $\text{£}62.5$ mill in loans at 15%
- FI sells the expected principal and interest on a loan forward at the current forward rate $\$155/\text{£}$
- The forward buyer of £ promises to pay $\text{£}62.5$ mill \times 1.15% = $\text{£}71.875$ mill \times $\$155/\text{£} = \111.406 mill in one year
- FI has a guaranteed return on a British loan =
- $(111.46 - 100)/100 = 11.406\%$
- The overall expected return on the FI's asset portfolio =
- $0.5 \times 0.09 + 0.5 \times 0.11406 = 0.10203$ or 10.203%

Specifications of the FX futures

Currency	Contract size
JPY/USD	12 500 000
Euro/USD	31 500
BP/USD	62 500
SFr/USD	125 000
AUD/USD	100 000

- Six months in the March quarterly cycle (Mar, Jun, Sep, Dec)
- Physical delivery
- Last trading day: 9:16 a.m. Central Time (CT) on the second business day immediately preceding the third Wednesday of the contract month (usually Monday).

Hedging with futures.

- What is your risk if you have a long position in FX futures?
 - A. Foreign currency appreciation
 - B. Foreign currency depreciation

Hedging with futures

- Should you take long or short position in FX futures contracts if:
 - you are planning to sell Foreign currency in the future;
 - You want to hedge the portfolio of foreign stocks against the foreign exchange risk;
 - You are planning to borrow a syndicated loan from a foreign bank;
 - You are planning to buy foreign bonds in 2 months.
 - Liabilities in foreign currency exceed the assets in foreign currency.

Hedging with futures

- Futures market does not allow to institute a long-term one-year hedge usually due to defined maturity (4 times per year). So we need to rollover the futures positions into new futures contracts.
- EXAMPLE: Suppose that FI made a £100 mill loan at 15% and wished to hedge fully the risk of £ depreciation. The spot exchange rate is \$1.47/£ and forward exchange rate is \$1.46/£
- The size of each £ futures contract is £62500, therefore, the number of contracts needed:
- $N_f = £115 \text{ mill} / £62500 = 1840$ contracts to be sold.

Example (continued)

- Suppose that by the end of the year the £ depreciates against the \$ from \$1.47/£ to \$1.42/£ at the spot market and from \$1.46/£ to \$1.41/£ at the forward market.
- Loss on the £ loan:
- $\text{£115 mill} \times (\$1.47/\text{£} - \$1.42/\text{£}) = \5.75mill
- Gain on futures contracts:
- $1840 \times \text{£62500} \times (\$1.46/\text{£} - \$1.41/\text{£}) = \5.75 mill
- In this example we ignore the marking to market effect and the basis risk:
 - If spot and futures prices are not perfectly correlated, then basis risk remains.
 - Tailing the hedge
 - Interest income effects of marking to market allows hedger to reduce number of futures contracts that must be sold to hedge

Basis Risk

- Suppose we have a basis risk: $\Delta S = -5 \text{ c}$ and $\Delta F = -3 \text{ c}$
- Loss on the £ loan:
- $\text{£}115 \text{ mill} \times (\$1.47/\text{£} - \$1.42/\text{£}) = \5.75mill
- Gain on futures contracts:
- $1840 \times \text{£}62500 \times (\$1.46/\text{£} - \$1.43/\text{£}) = \3.45 mill
- $\text{Net Loss} = 5.75 - 3.45 = 2.3 \text{ mill}$

- In order to adjust for basis risk we apply the hedge ratio:
$$h = \Delta S_t / \Delta f_t$$
- **$N_f = (\text{Long asset position} \times h) / (\text{size of one contract}).$**

Example (continued)

- $H = 0.5/0.3 = 1.66$
- $N_f = (£115\text{mill} \times 1.66) / £62500 = 3054.4$
contracts
- Gain on futures position:
- $3054 \times £62500 \times (\$1.46/£ - \$1.43/£) = \5.73
mill
- Net loss = 0.02 mill

Estimating the Hedge Ratio

- Look at recent past behavior of ΔS_t relative to ΔF_t
- The h may be estimated using ordinary least squares regression:
 - $\Delta S_t = \alpha + \beta \Delta f_t + u_t$
 - The hedge ratio, h , will be equal to the coefficient β . The R^2 from the regression reveals the effectiveness of the hedge.
- $R^2 = \rho^2 = [\text{Cov}(\Delta S_t, \Delta F_t)] / [\delta_{\Delta S_t} \delta_{\Delta F_t}]$

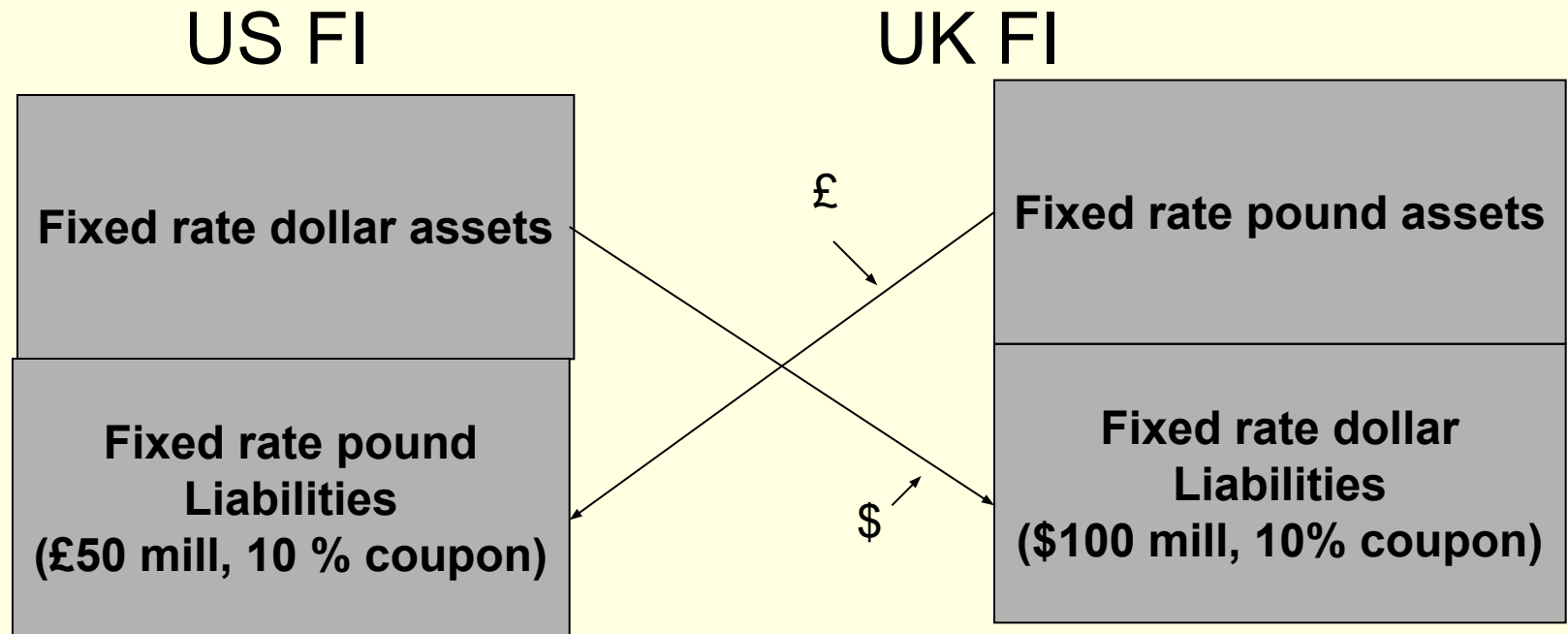
Fixed-for-fixed currency swap:

- Exchange of principal and interest payments in one currency for principal and interest payments in another currency.
- The principal should be specified for each of two currencies;
- The principal is usually exchanged at the beginning and at the end of the life of the swap (note, in an interest rate swap the principal is not exchanged)

Currency Swaps

- Fixed-Fixed
 - Example: U.S. bank with fixed-rate assets denominated in dollars, partly financed with £50 million in 4-year 10 percent (fixed) notes. By comparison, U.K. bank has assets partly funded by \$100 million 4-year 10 percent notes.
- US FI has the risk of dollar depreciation
- UK FI has the risk of dollar appreciation
 - Solution: Enter into currency swap.

Example (continued)



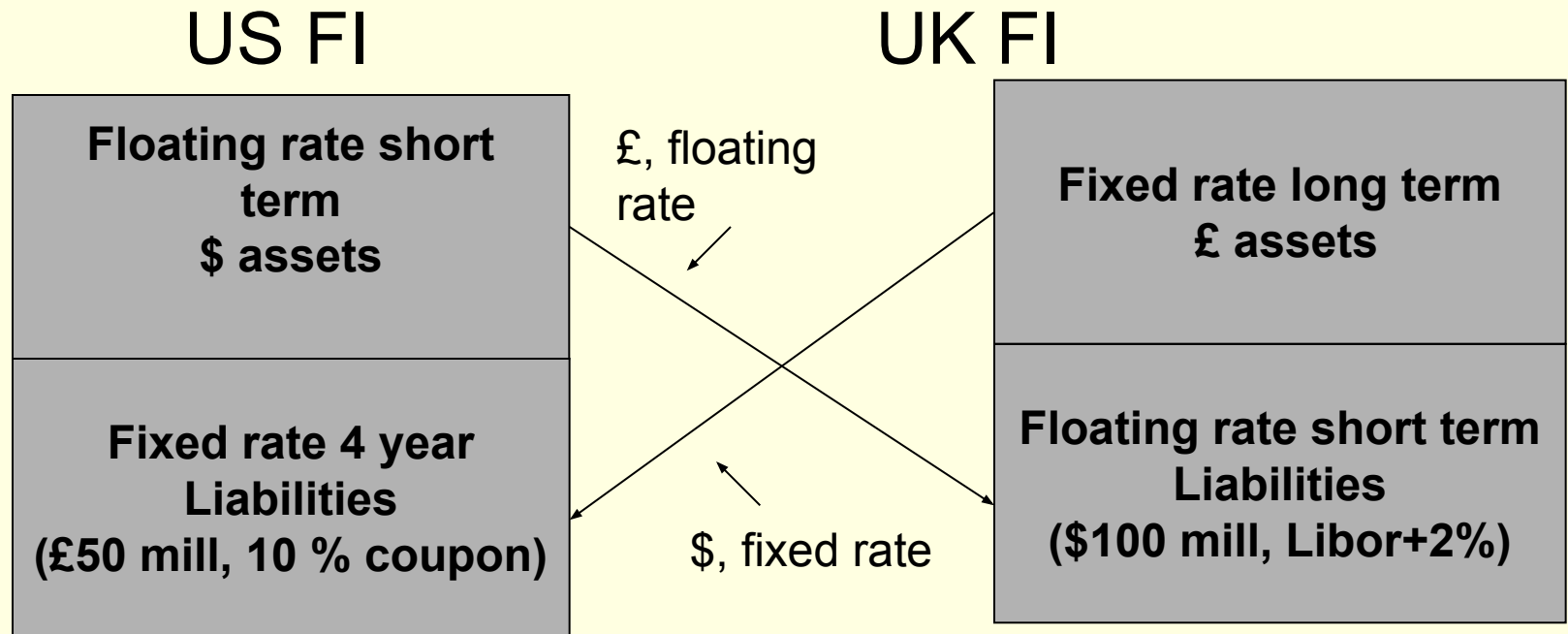
Cash Flows from Swap

	U.S. FI	U.K. FI
Outflows (B/S)	$-10\% \times \text{£}50$	$-10\% \times \$100$
Inflows (Swap)	$10\% \times \text{£}50$	$10\% \times \$100$
Outflows (Swap)	<u>$-10\% \times \\$100$</u>	<u>$-10\% \times \text{£}50$</u>
Net	$10\% \times \$100$	$-10\% \times \text{£}50$
Rates on notes	10.5%	10.5%

Fixed-Floating + Currency

- Fixed-Floating currency swaps.
 - Allows hedging of interest rate and currency exposures simultaneously
- Example:
- FIs make payments at some prearrange \$/£ exchange rate (\$2/£)

Example (continued)



Financing costs from fixed-floating currency swap

	U.S. FI	U.K. FI
Outflows (B/S)	$-10\% \times \text{£}50$	$-(L+2\%) \times \$100$
Inflows (Swap)	$10\% \times \text{£}50$	$(L+2\%) \times \$100$
Outflows (Swap)	$-(L+2\%) \times \\$100$	$-10\% \times \text{£}50$
Net	$-(L+2\%) \times \$100$	$-10\% \times \text{£}50$
Rates available:		
\$ float rate notes	$L+2.5\%$	
£ fixed rate notes		11%