

*Principles of
Corporate
Finance*

Seventh Edition

Richard A. Brealey

Stewart C. Myers

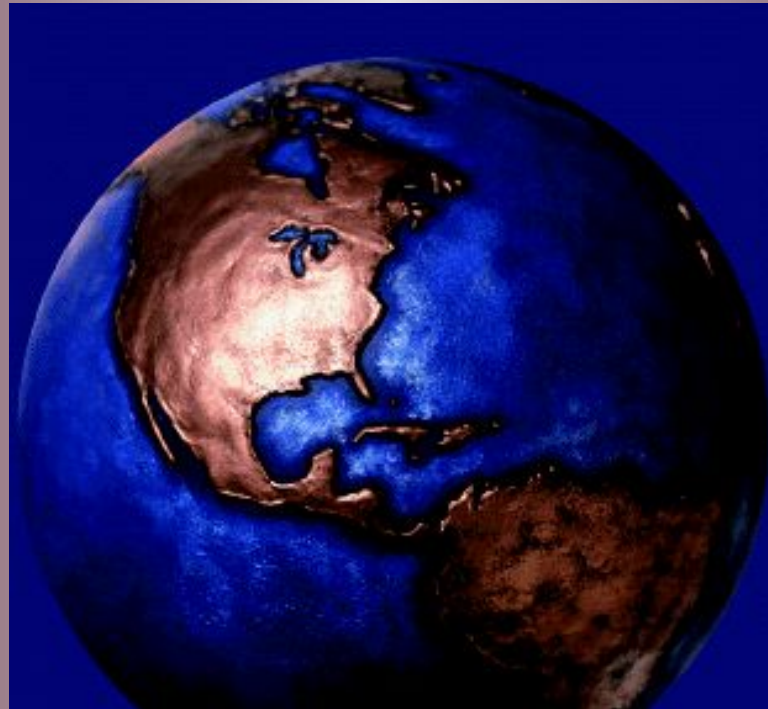
Slides by

Matthew Will

McGraw Hill/Irwin

Chapter 8

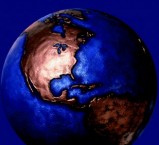
Risk and Return



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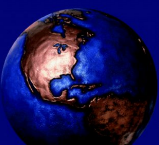
Topics Covered

- ◆ Markowitz Portfolio Theory
- ◆ Risk and Return Relationship
- ◆ Testing the CAPM
- ◆ CAPM Alternatives



Markowitz Portfolio Theory

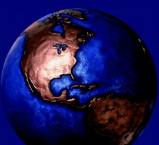
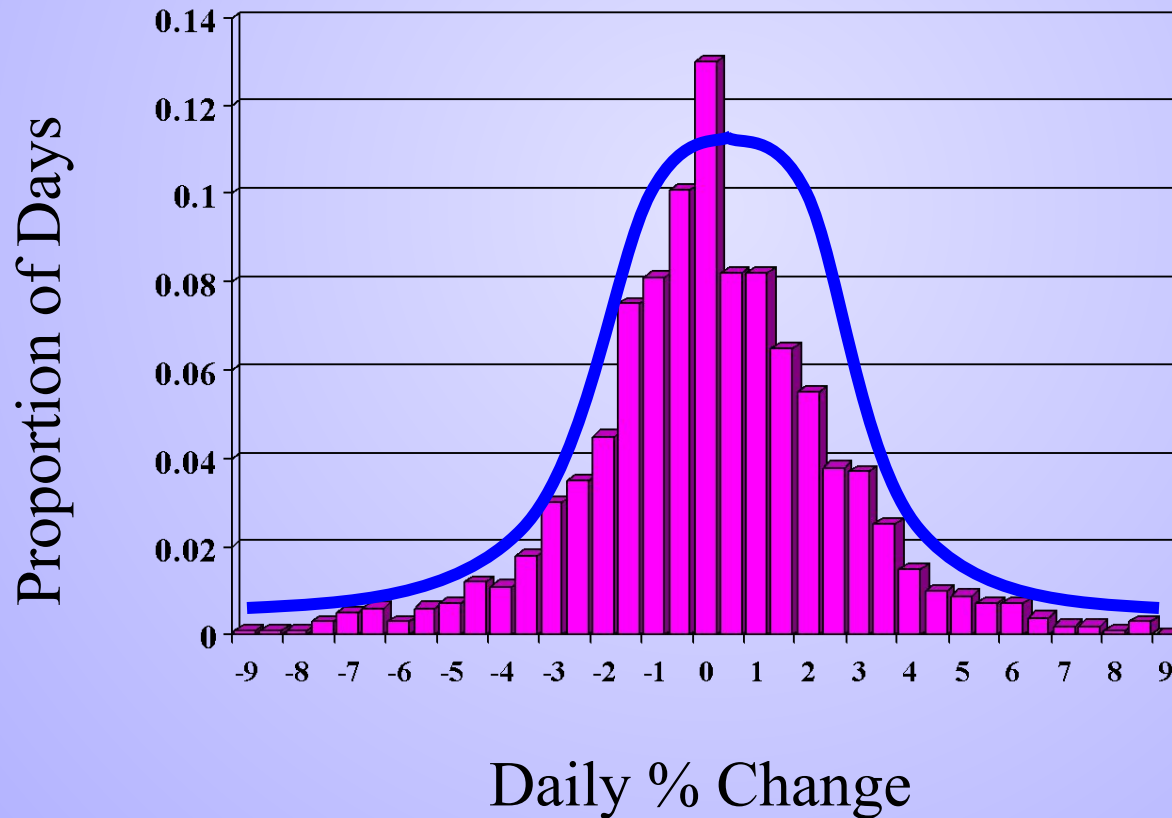
- ◆ Combining stocks into portfolios can reduce standard deviation, below the level obtained from a simple weighted average calculation.
- ◆ Correlation coefficients make this possible.
- ◆ The various weighted combinations of stocks that create this standard deviations constitute the set of *efficient portfolios*.



Markowitz Portfolio Theory

Price changes vs. Normal distribution

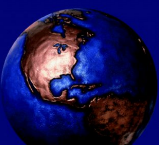
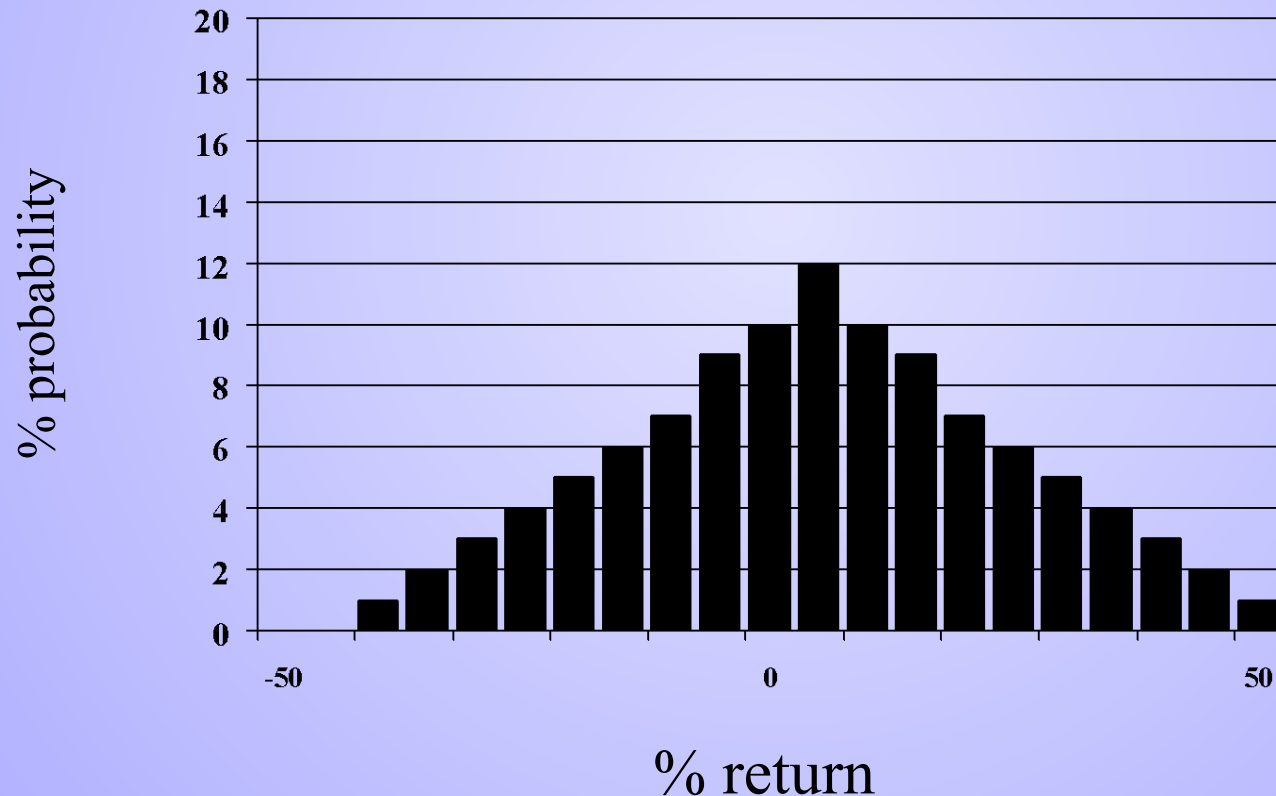
Microsoft - Daily % change 1990-2001



Markowitz Portfolio Theory

Standard Deviation VS. Expected Return

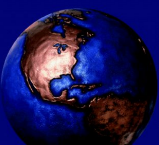
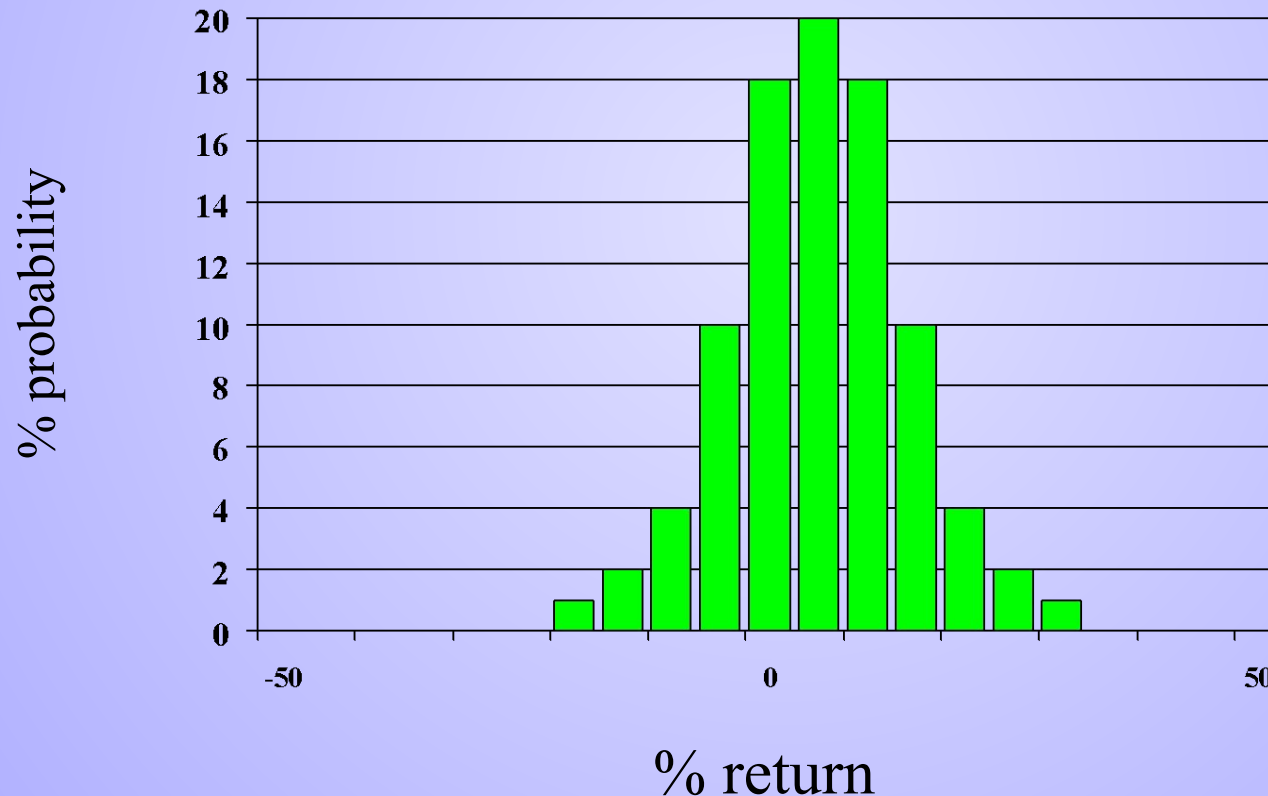
Investment A



Markowitz Portfolio Theory

Standard Deviation VS. Expected Return

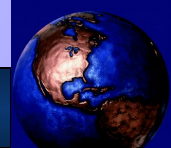
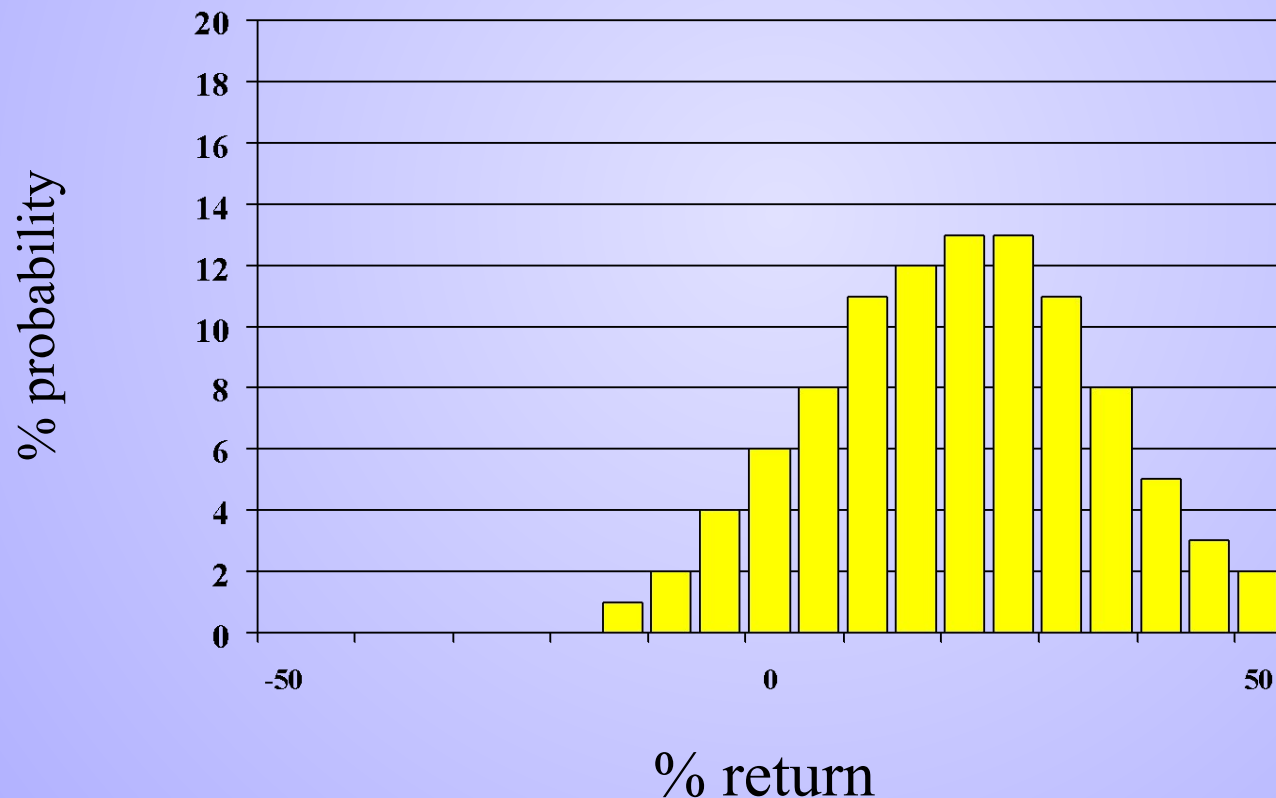
Investment B



Markowitz Portfolio Theory

Standard Deviation VS. Expected Return

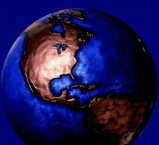
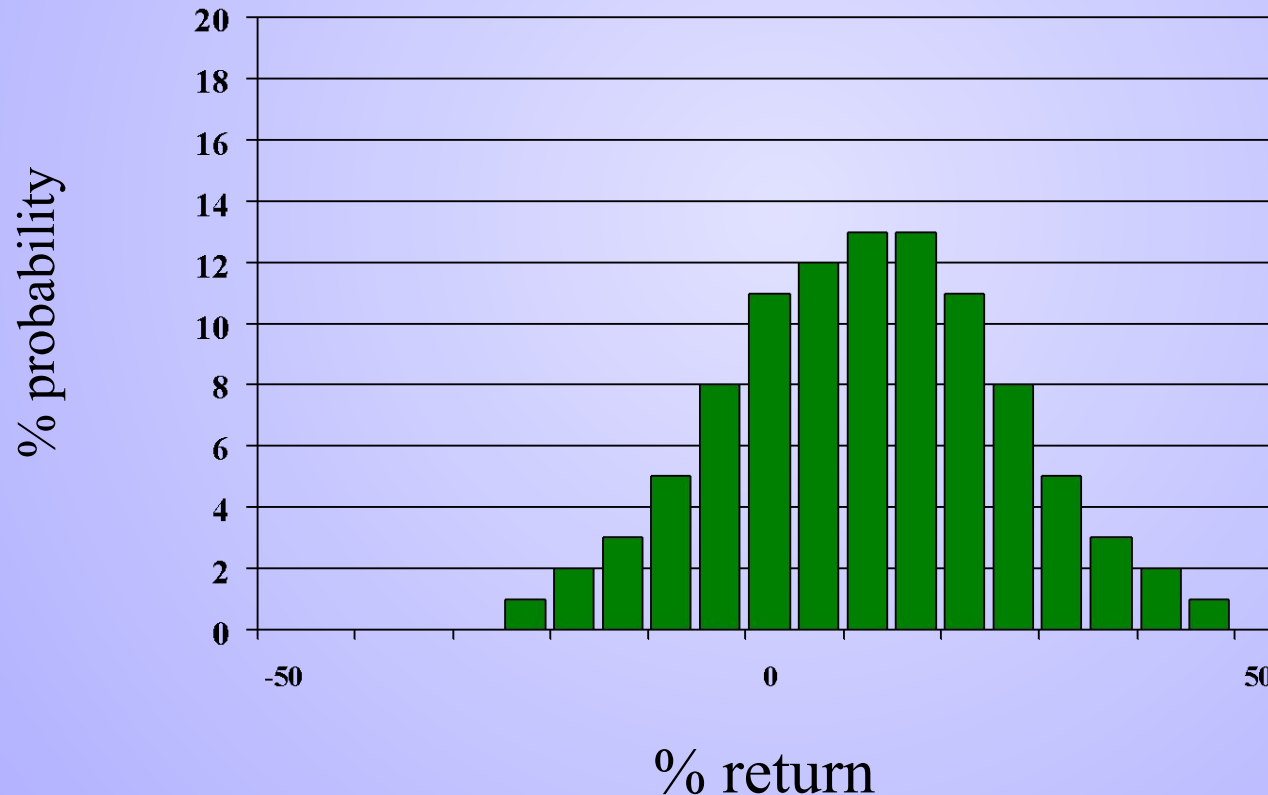
Investment C



Markowitz Portfolio Theory

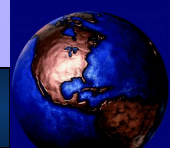
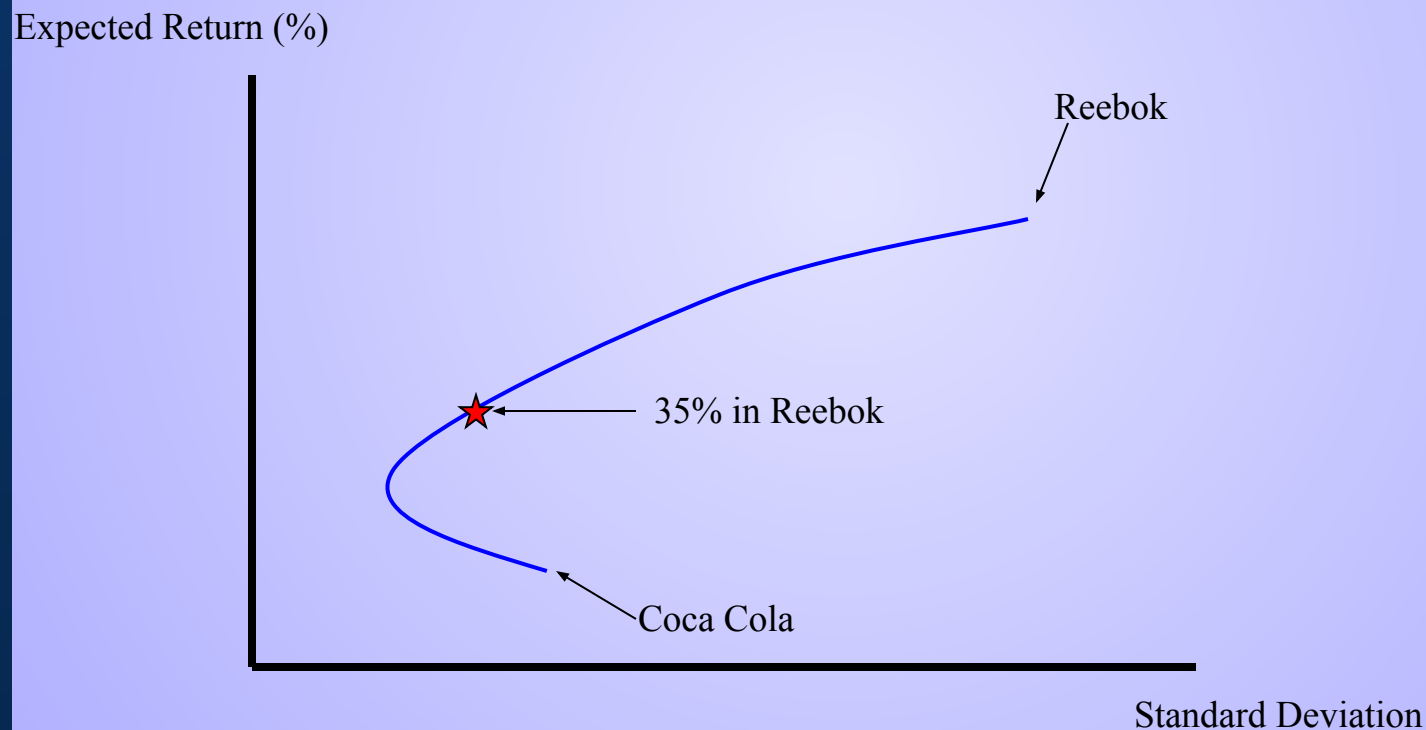
Standard Deviation VS. Expected Return

Investment D



Markowitz Portfolio Theory

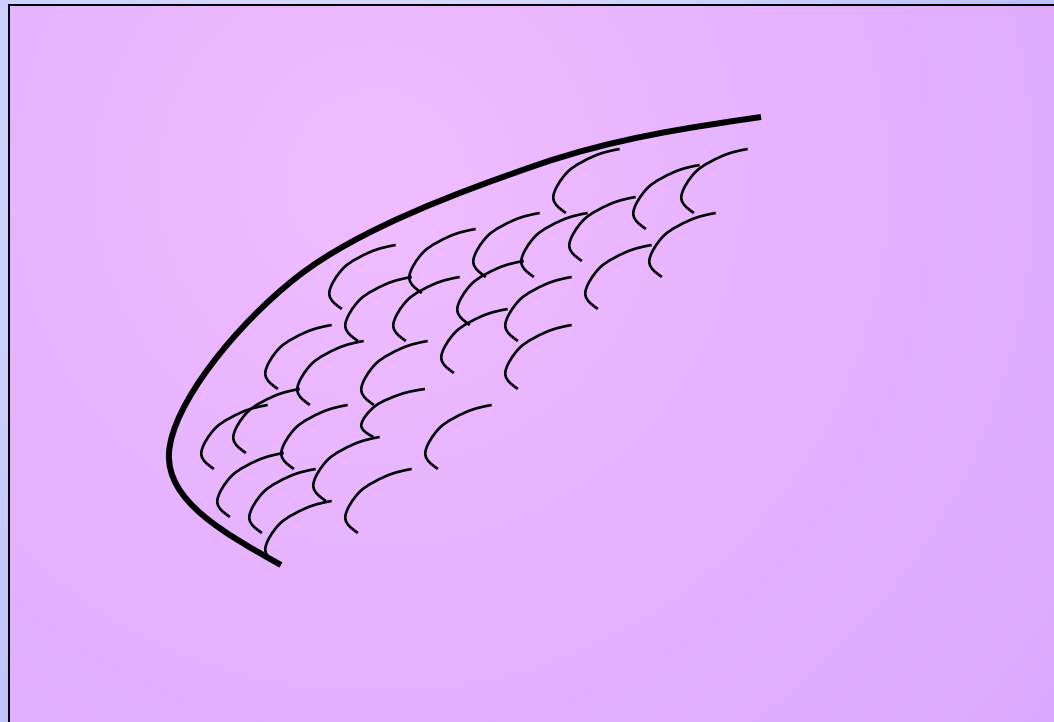
- ◆ Expected Returns and Standard Deviations vary given different weighted combinations of the stocks



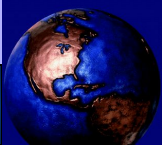
Efficient Frontier

- Each half egg shell represents the possible weighted combinations for two stocks.
- The composite of all stock sets constitutes the efficient frontier

Expected Return (%)

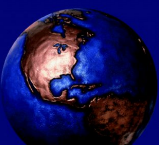
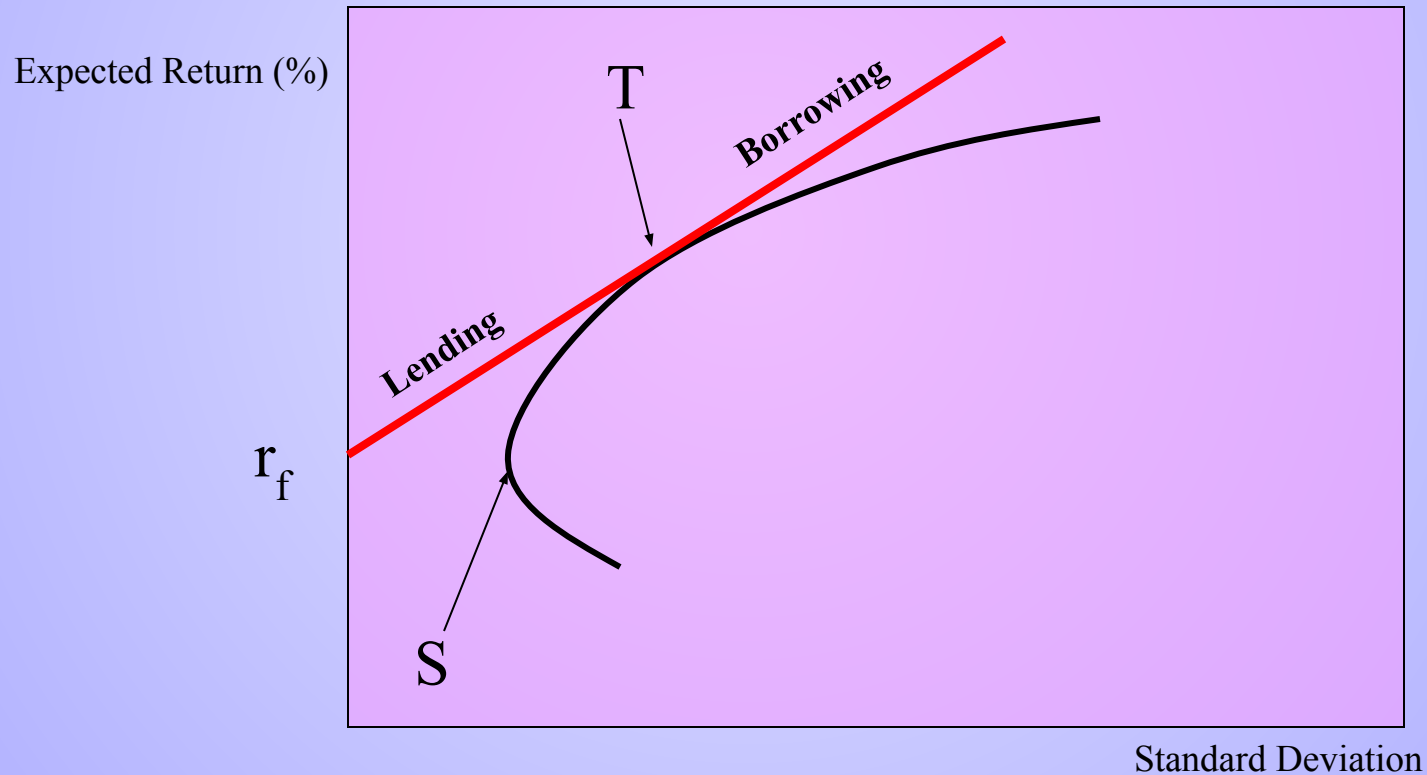


Standard Deviation



Efficient Frontier

- Lending or Borrowing at the risk free rate (r_f) allows us to exist outside the efficient frontier.



Efficient Frontier

Example

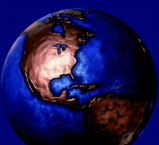
Correlation Coefficient = .4

<u>Stocks</u>	<u>σ</u>	<u>% of Portfolio</u>	<u>Avg Return</u>
ABC Corp	28	60%	15%
Big Corp	42	40%	21%

Standard Deviation = weighted avg = 33.6

Standard Deviation = Portfolio = 28.1

Return = weighted avg = Portfolio = 17.4%



Efficient Frontier

Example

Correlation Coefficient = .4

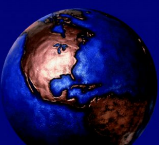
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Standard Deviation = weighted avg = 33.6

Standard Deviation = Portfolio = 28.1

Return = weighted avg = Portfolio = 17.4%

Let's Add stock New Corp to the portfolio



Efficient Frontier

Example

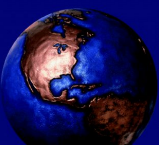
Correlation Coefficient = .3

<u>Stocks</u>	<u>σ</u>	<u>% of Portfolio</u>	<u>Avg Return</u>
Portfolio	28.1	50%	17.4%
<i>New Corp</i>	<i>30</i>	<i>50%</i>	<i>19%</i>

NEW Standard Deviation = weighted avg = 31.80

NEW Standard Deviation = Portfolio = 23.43

NEW Return = weighted avg = Portfolio = 18.20%



Efficient Frontier

Example

Correlation Coefficient = .3

<u>Stocks</u>	<u>σ</u>	<u>% of Portfolio</u>	<u>Avg Return</u>
Portfolio	28.1	50%	17.4%
New Corp	30	50%	19%

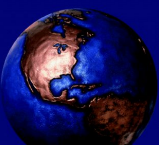
NEW Standard Deviation = weighted avg = 31.80

NEW Standard Deviation = Portfolio = 23.43

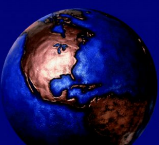
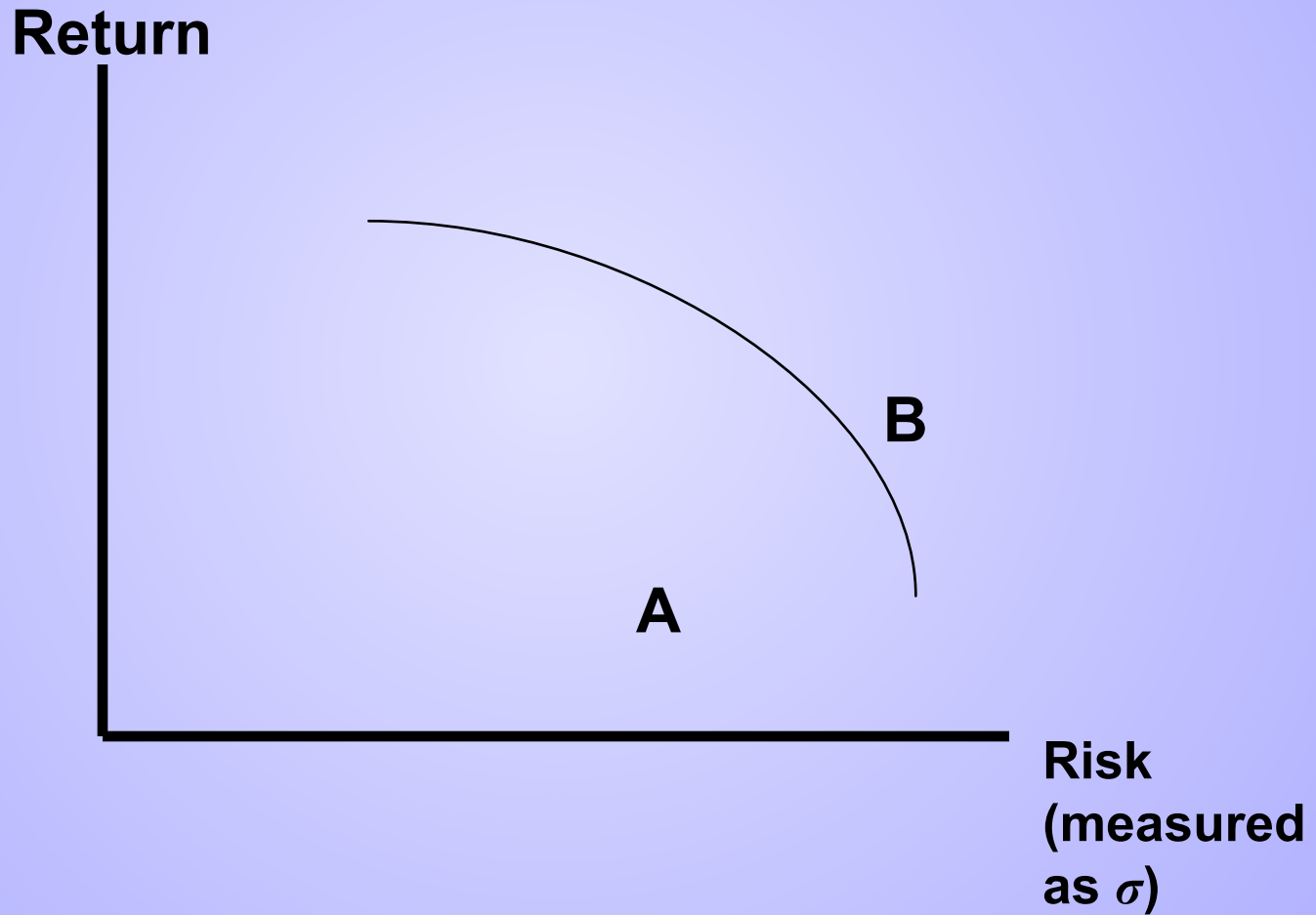
NEW Return = weighted avg = Portfolio = 18.20%

NOTE: Higher return & Lower risk

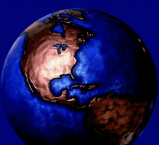
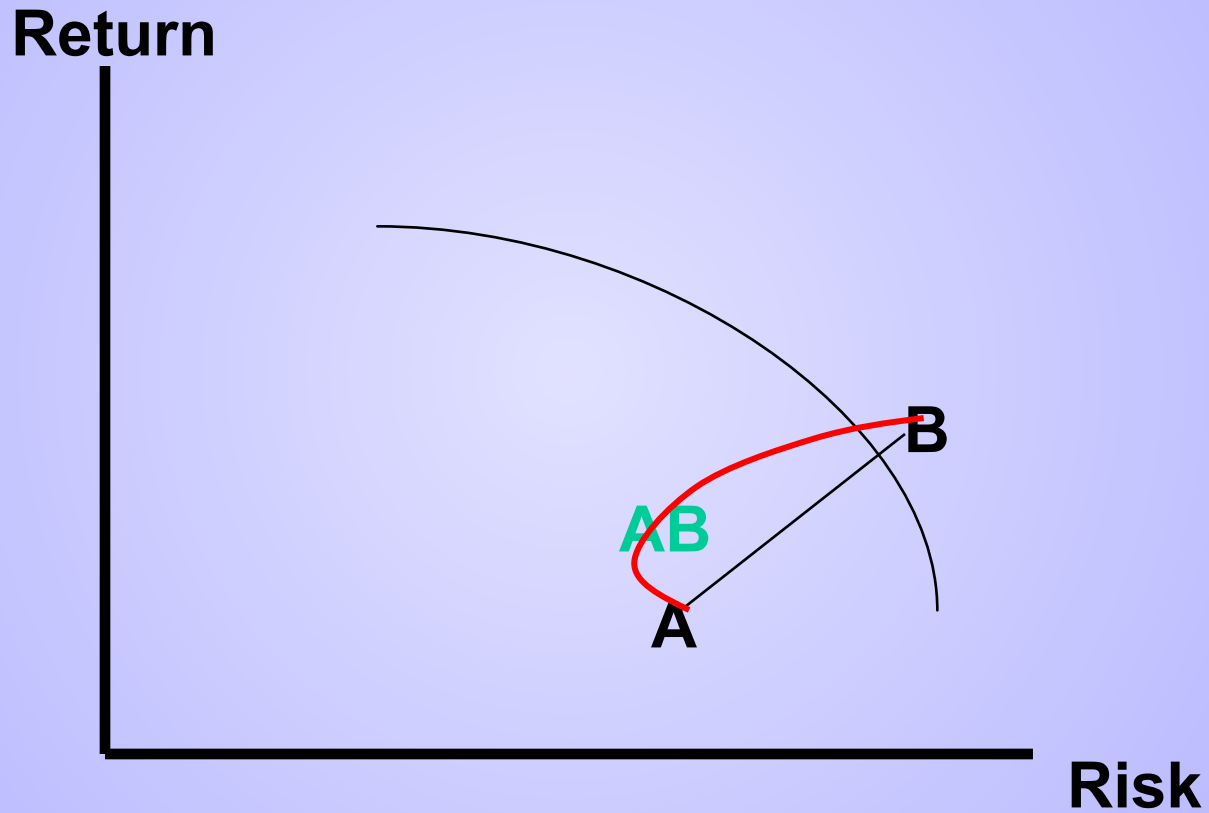
How did we do that? DIVERSIFICATION



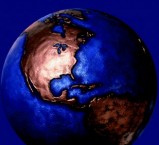
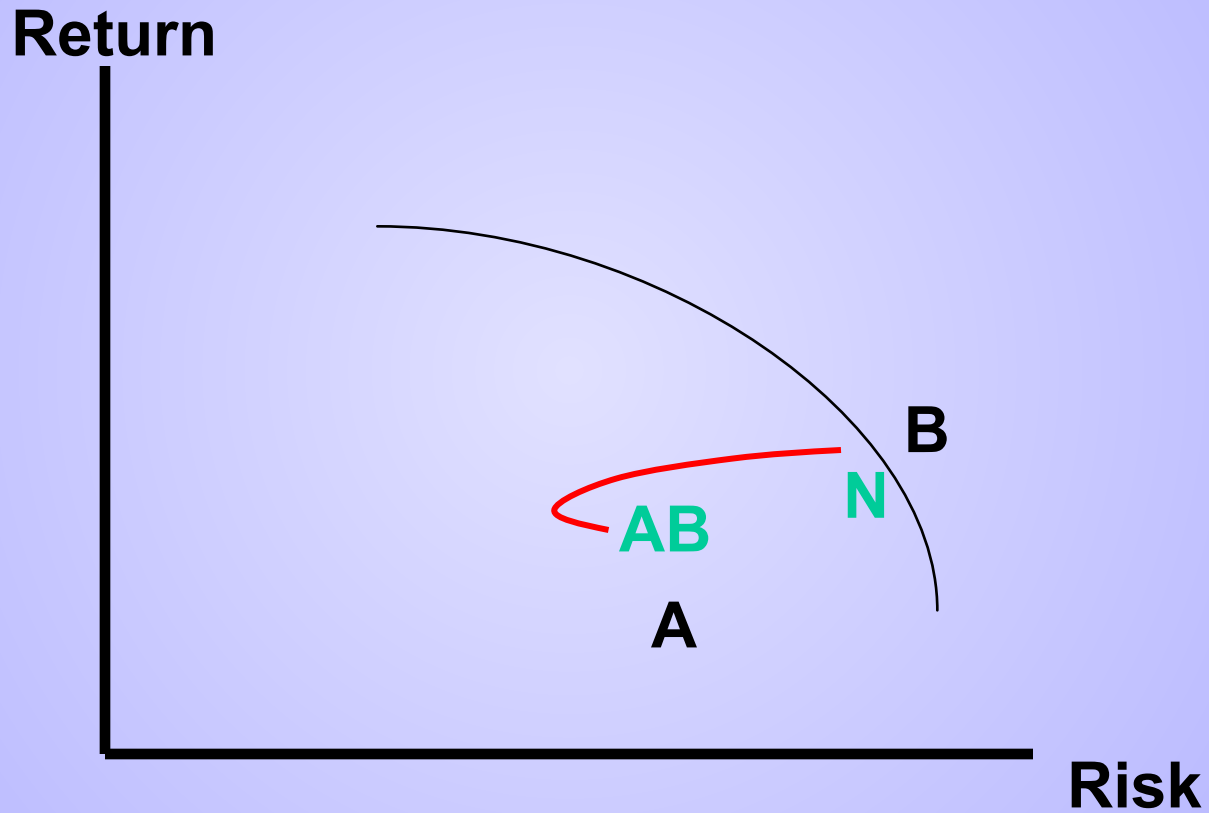
Efficient Frontier



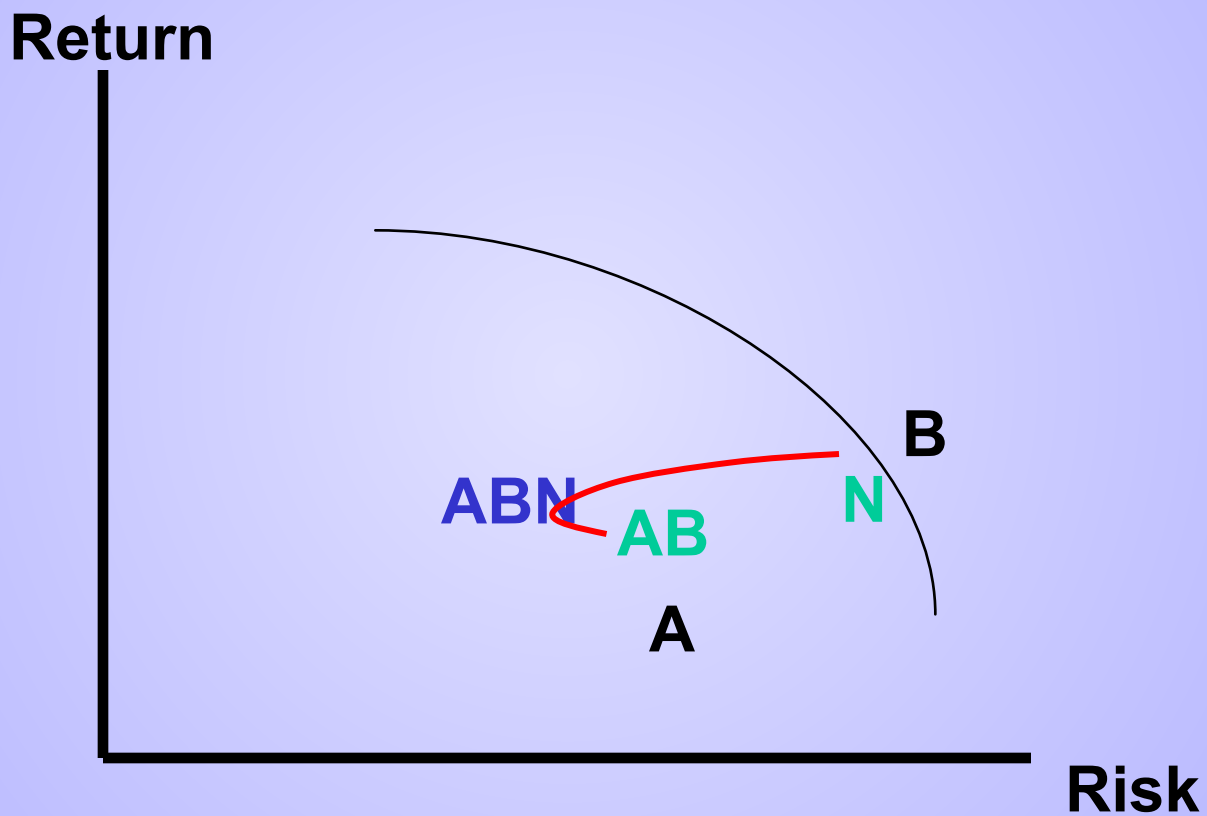
Efficient Frontier



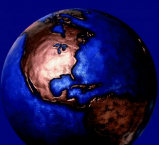
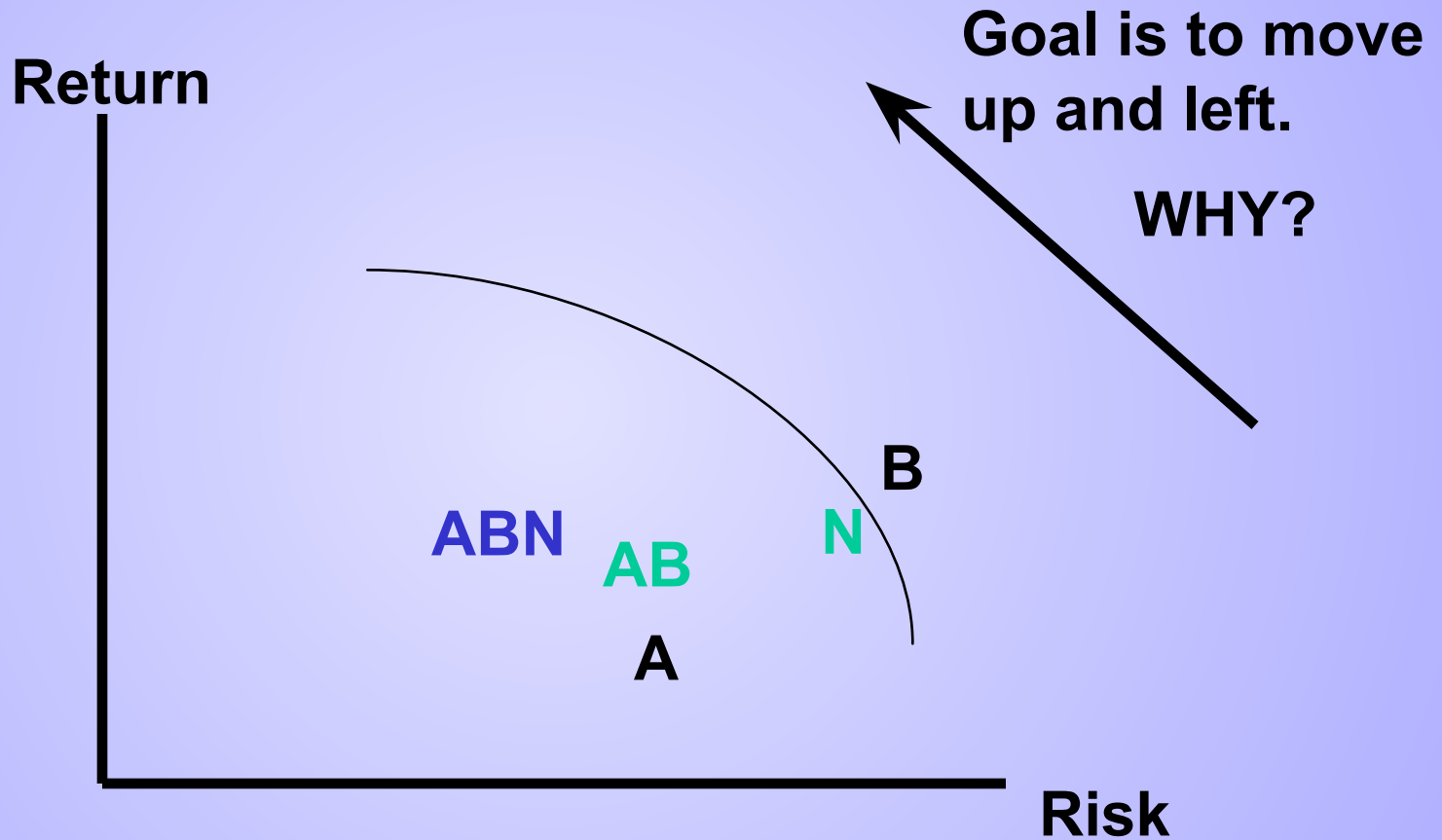
Efficient Frontier



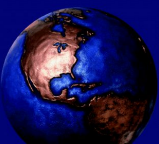
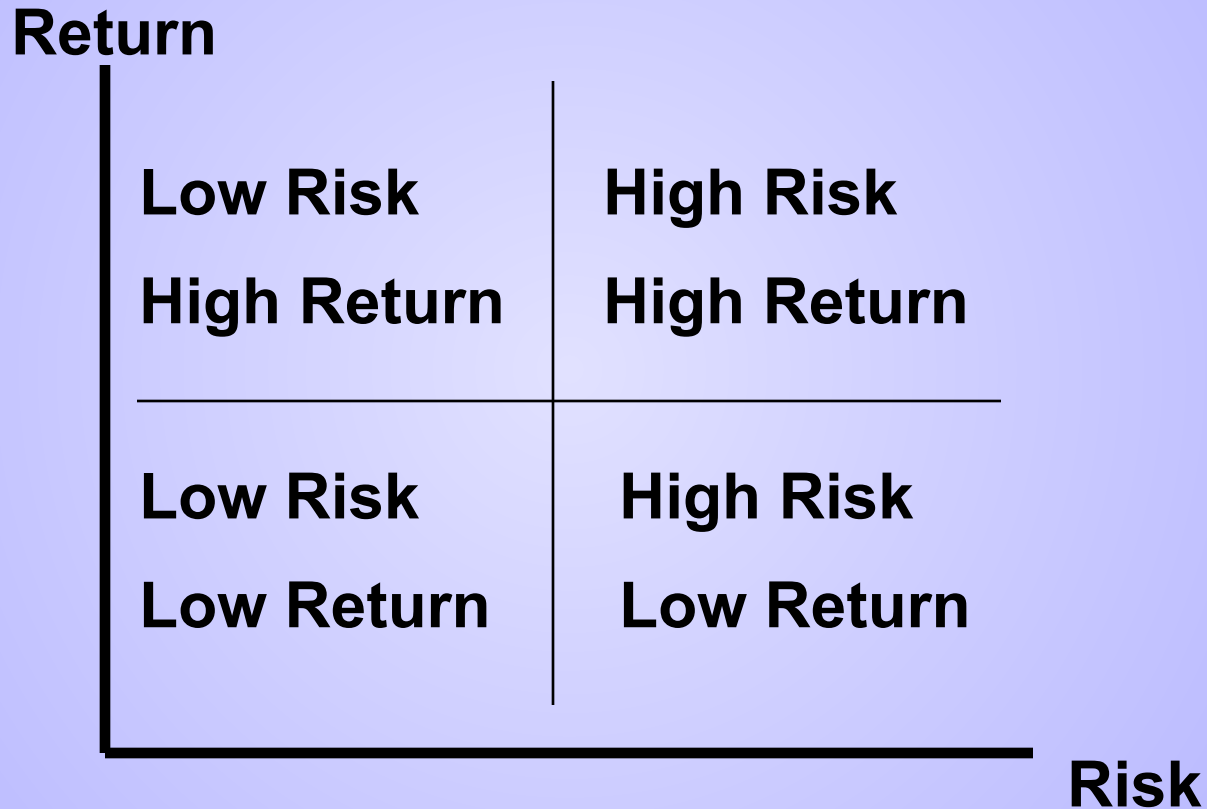
Efficient Frontier



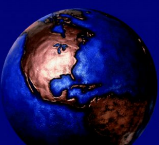
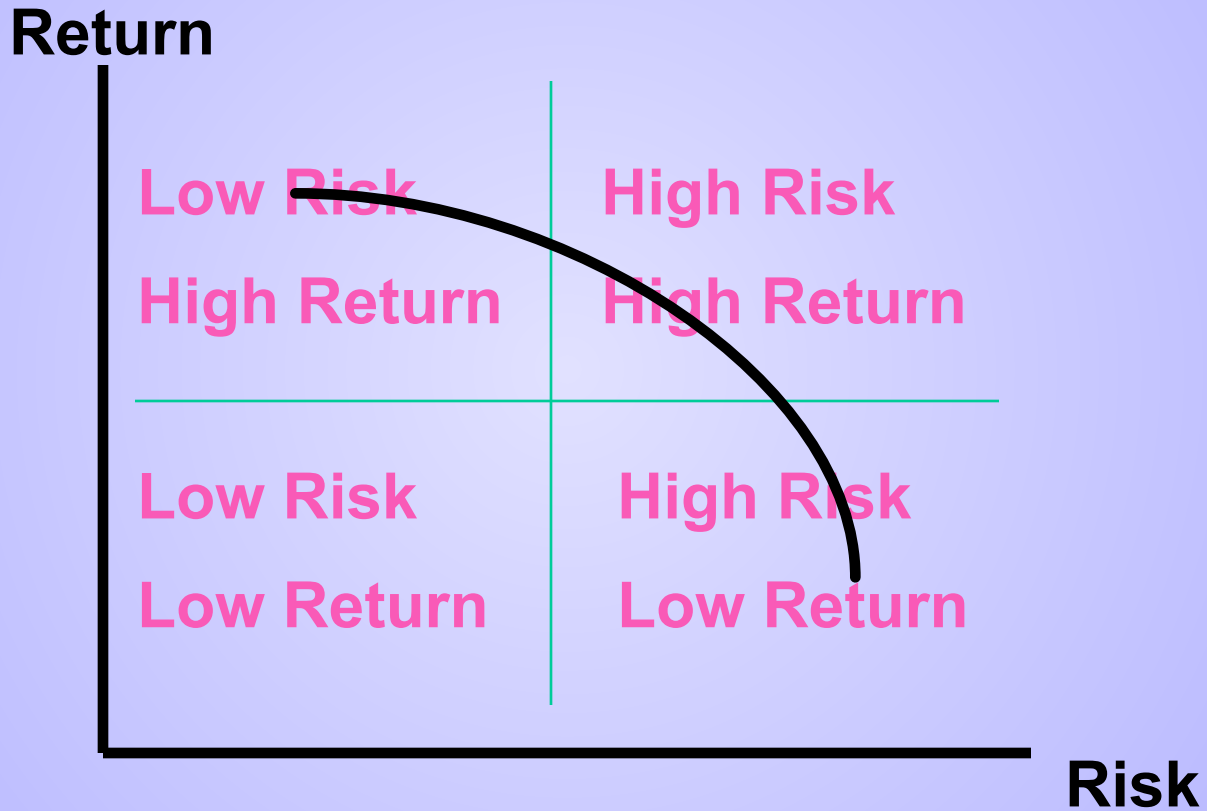
Efficient Frontier



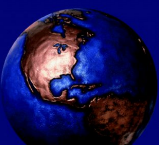
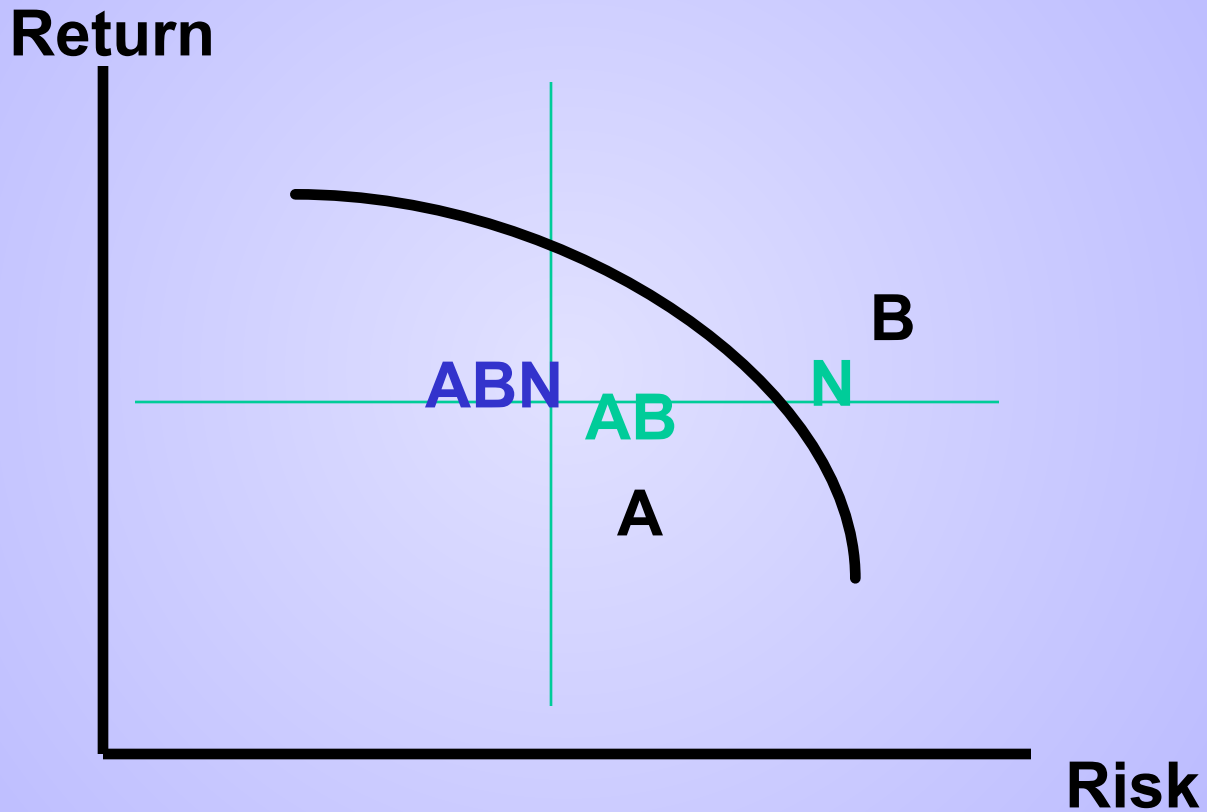
Efficient Frontier



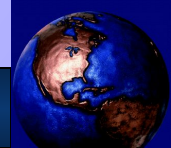
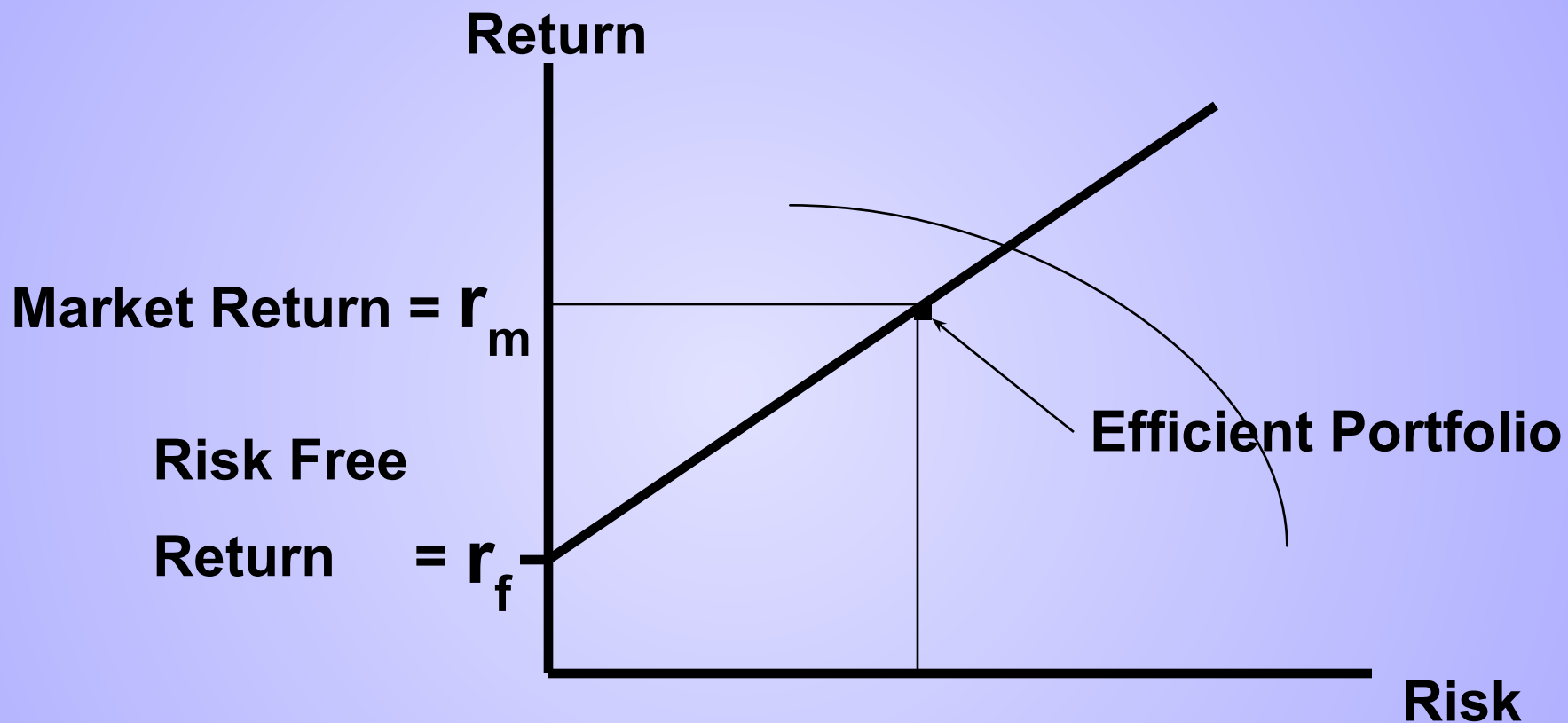
Efficient Frontier



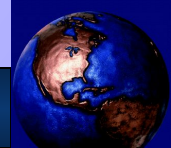
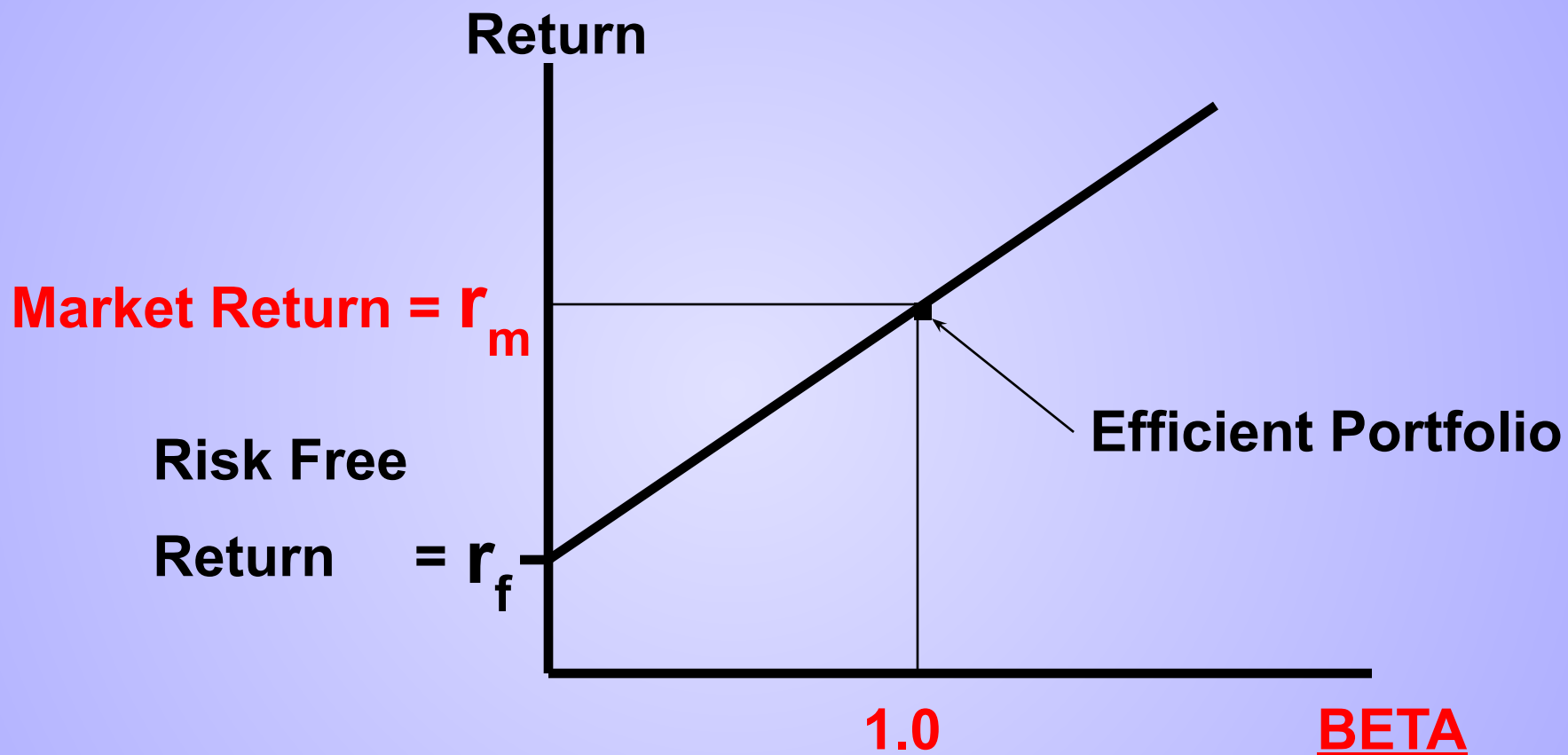
Efficient Frontier



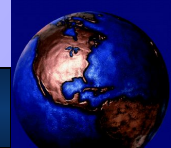
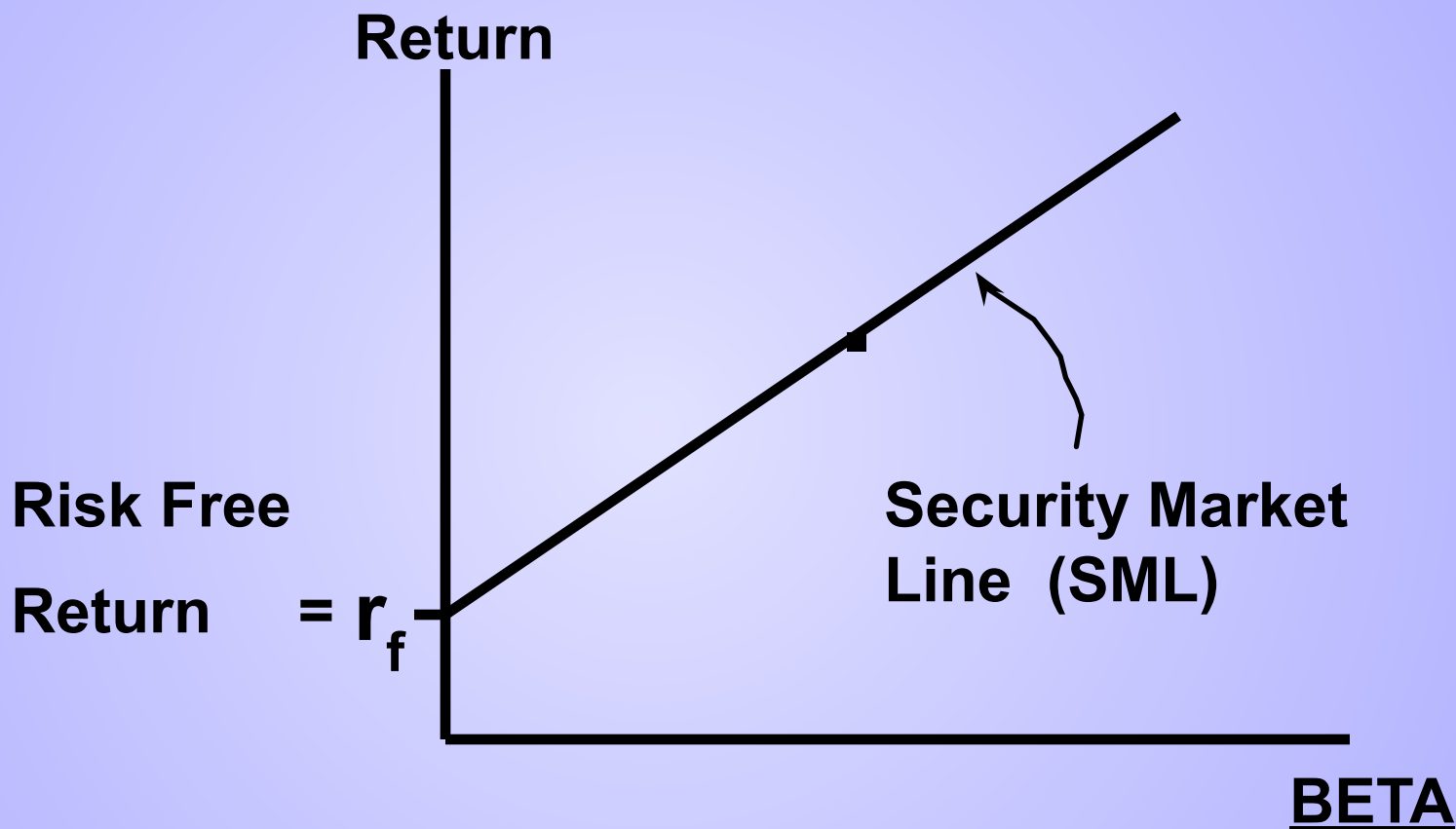
Security Market Line



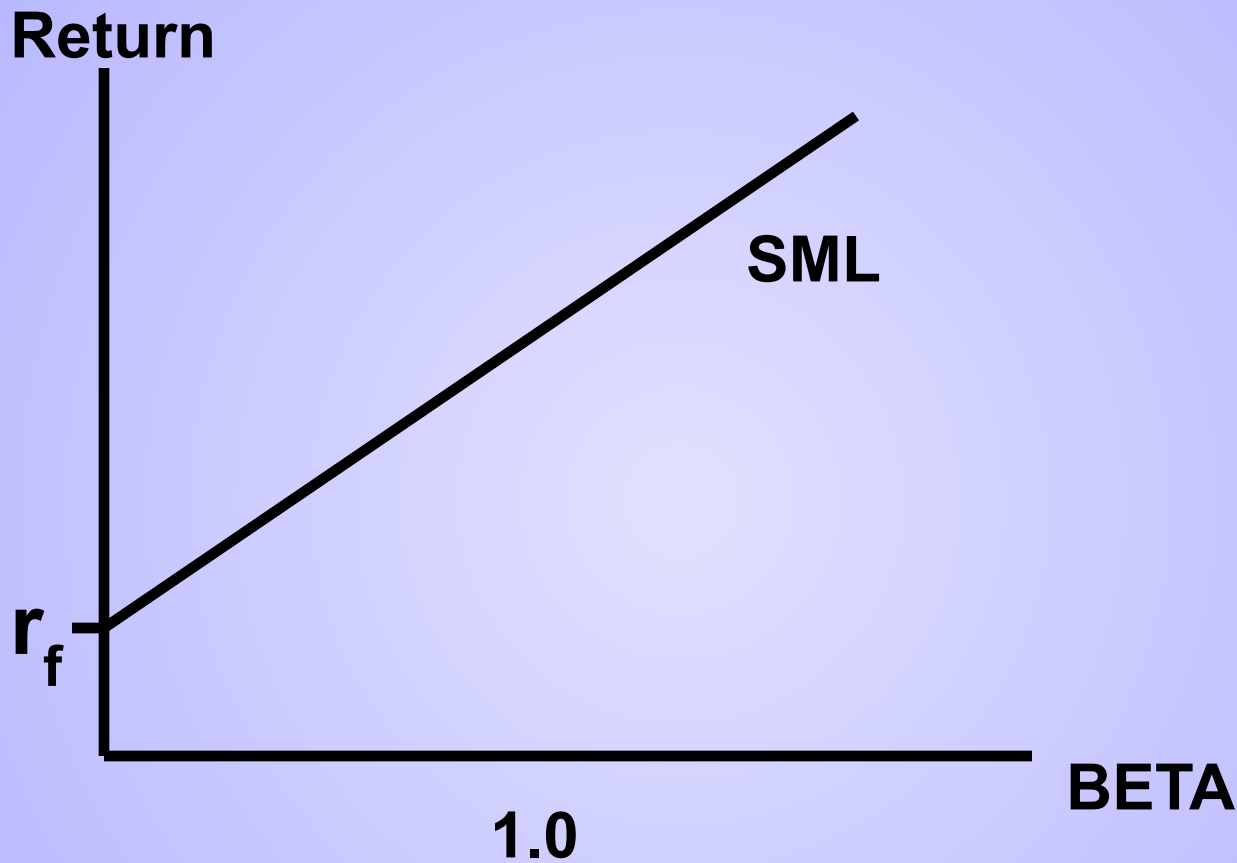
Security Market Line



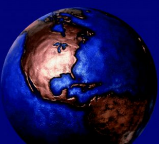
Security Market Line



Security Market Line



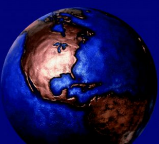
$$\text{SML Equation} = r_f + B (r_m - r_f)$$



Capital Asset Pricing Model

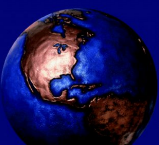
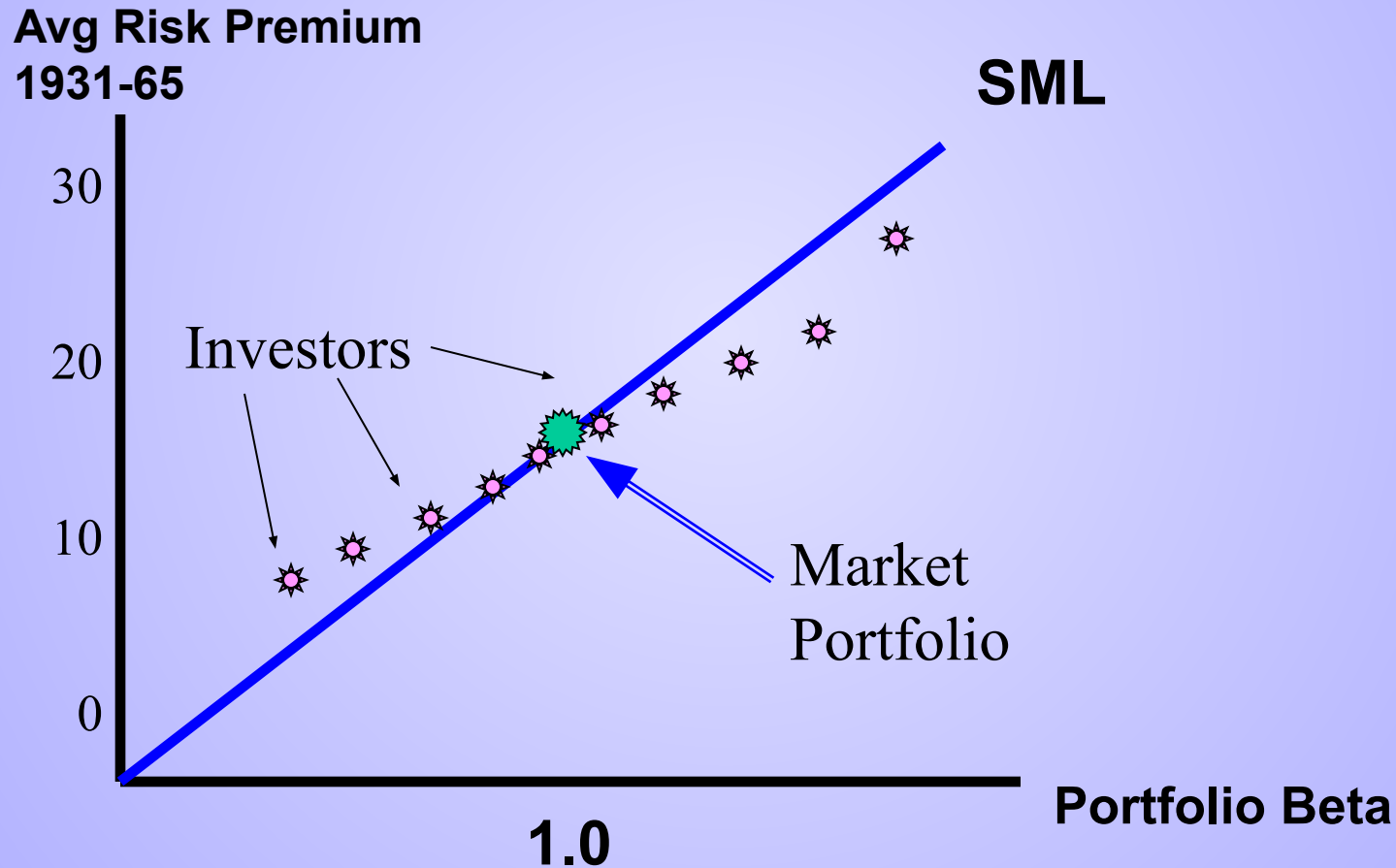
$$R = r_f + B (r_m - r_f)$$

CAPM



Testing the CAPM

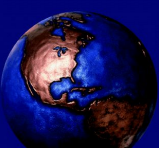
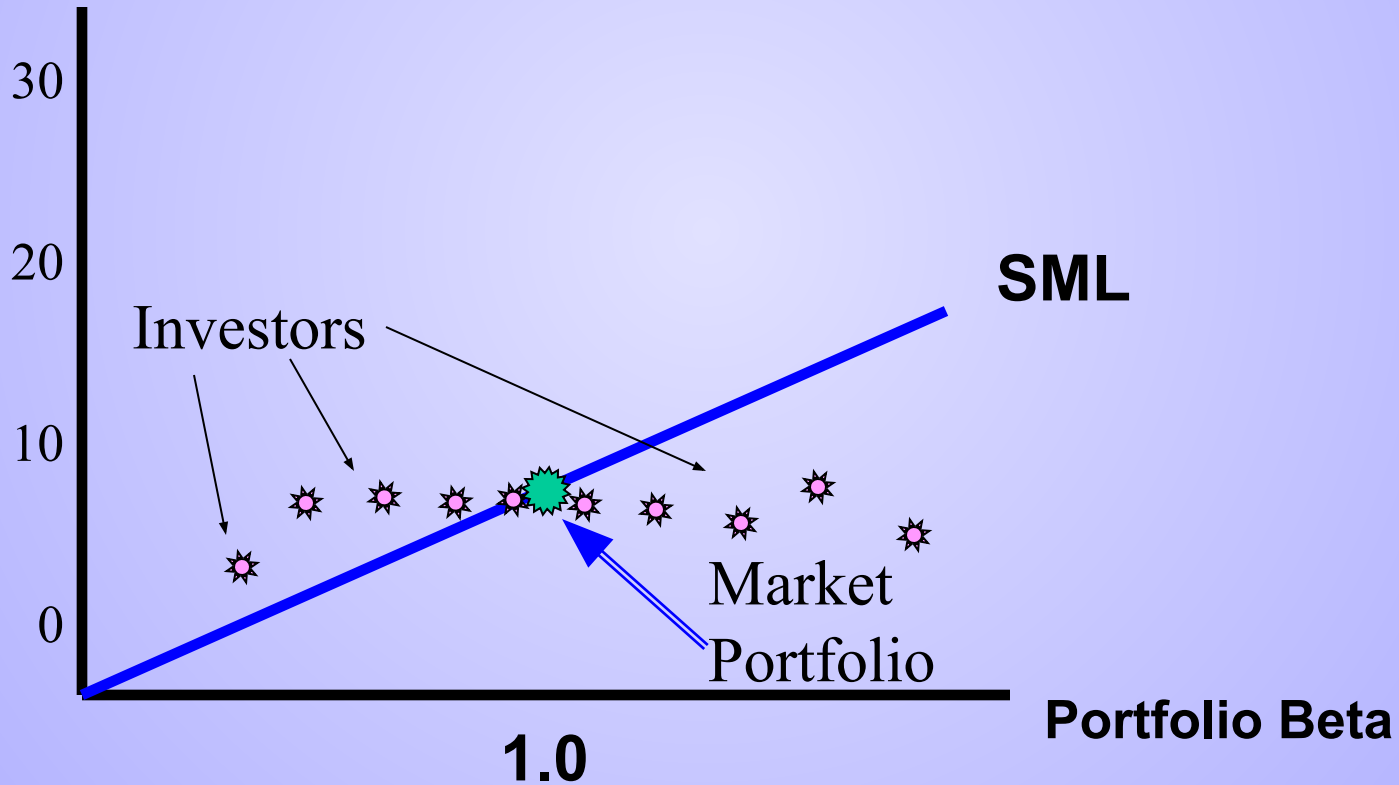
Beta vs. Average Risk Premium



Testing the CAPM

Beta vs. Average Risk Premium

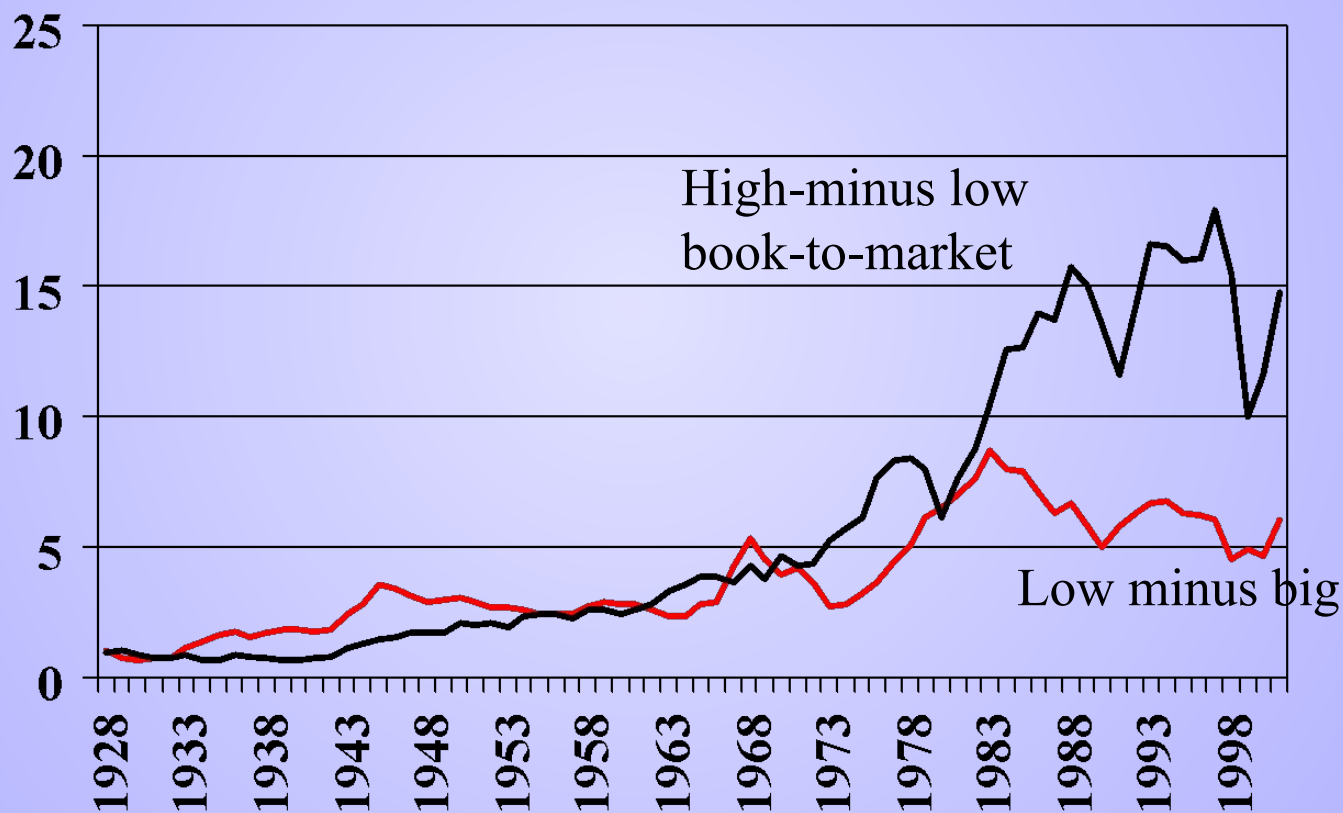
Avg Risk Premium
1966-91



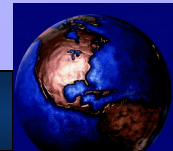
Testing the CAPM

Return vs. Book-to-Market

Dollars



http://mba.tuck.dartmouth.edu/pages/faculty/ken.french/data_library.html



Consumption Betas vs Market Betas

Stocks
(and other risky
assets)

Market risk
makes wealth
uncertain.

Wealth = market
portfolio

Standard
CAPM

Stocks
(and other risky
assets)

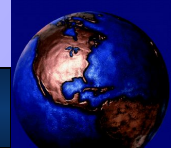
Wealth is uncertain

Wealth

Consumption is uncertain

Consumption

Consumption
CAPM



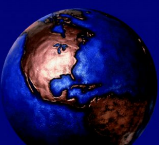
Arbitrage Pricing Theory

Alternative to CAPM

Expected Risk

$$\begin{aligned}\text{Premium} &= r - r_f \\ &= B_{\text{factor1}}(r_{\text{factor1}} - r_f) + B_{\text{f2}}(r_{\text{f2}} - r_f) + \dots\end{aligned}$$

$$\text{Return} = a + b_{\text{factor1}}(r_{\text{factor1}}) + b_{\text{f2}}(r_{\text{f2}}) + \dots$$



Arbitrage Pricing Theory

Estimated risk premiums for taking on risk factors
(1978-1990)

Factor	Estimated Risk Premium ($r_{\text{factor}} - r_f$)
Yield spread	5.10%
Interest rate	-.61
Exchange rate	-.59
Real GNP	.49
Inflation	-.83
Mrket	6.36

