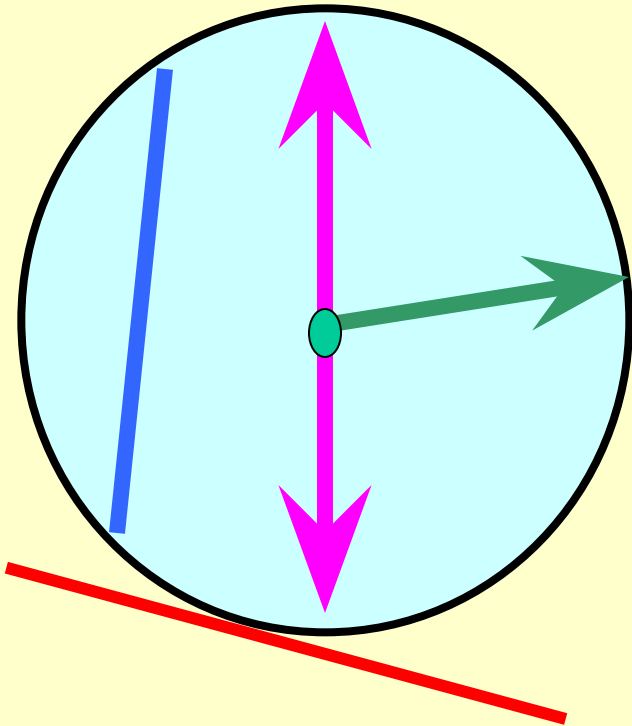


# **Circle Theorems**

Name these Features



The distance from the centre to the edge

The distance from one side to the other passing through the centre

The red line

The blue line

**Tangent Degree Chord Sector Segment  
Diameter Sphere Concentric Arc**

The distance from the centre to the edge RADIUS

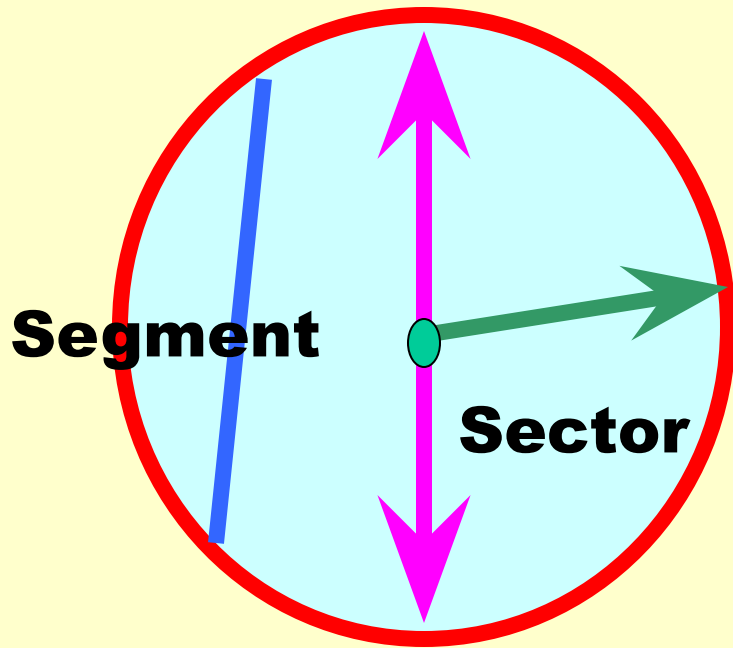
The distance from one side to the other passing through the centre DIAMETER

The red line TANGENT is a line that touches the edge of a circle

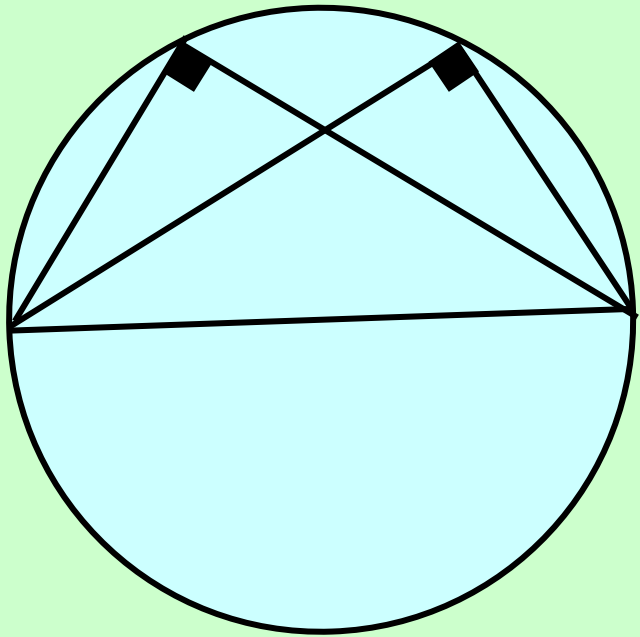
The blue line CHORD any line that across a circle

An **ARC** is the name for part of the circumference

Where can you see i) a segment  
ii) a sector iii) an arc?

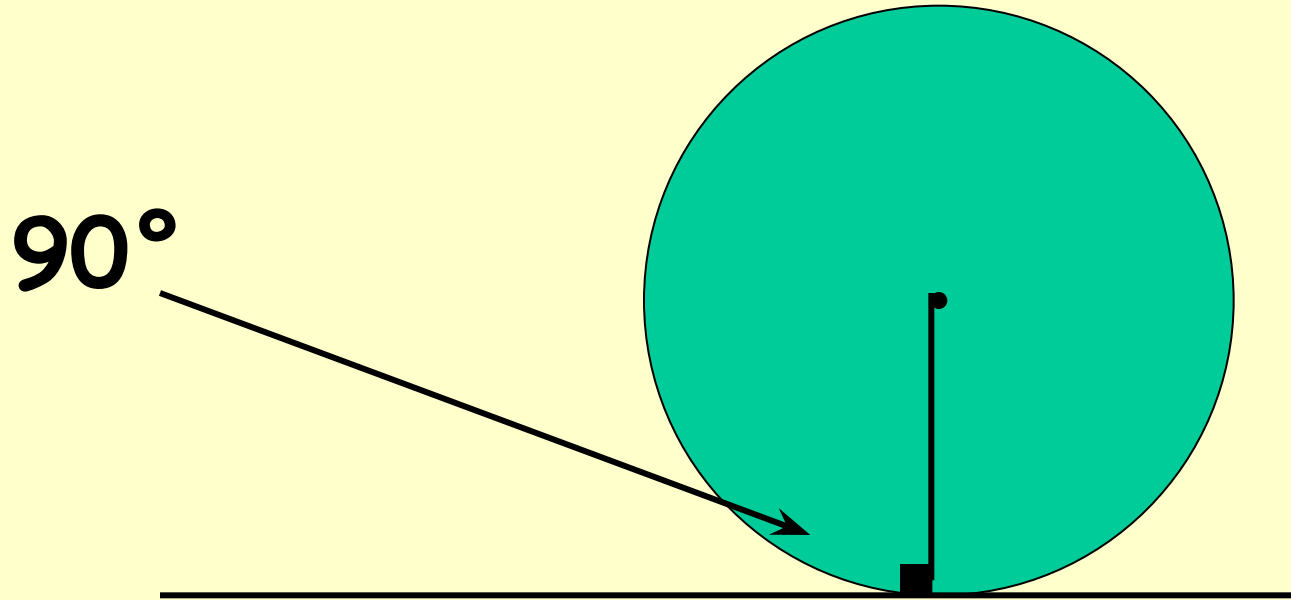


# Angle in a semi-circle = $90^\circ$



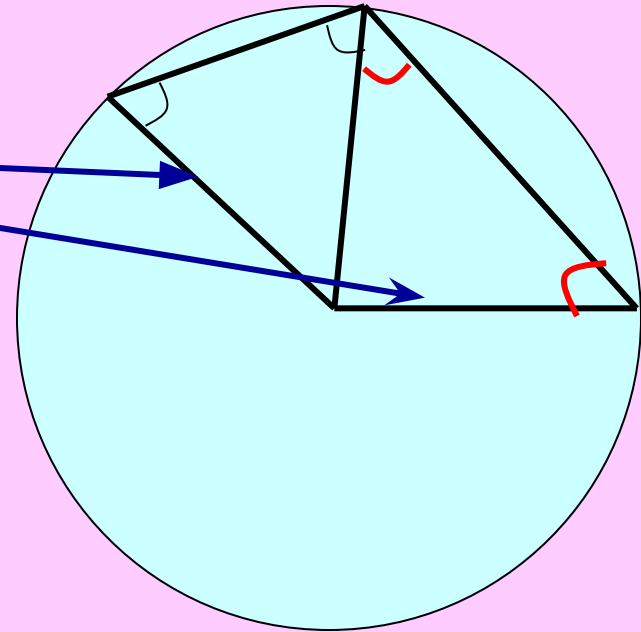
A triangle drawn from the two ends of a diameter will ALWAYS make an angle  $90^\circ$  where it hits the edge of the circle.

# Tangent-Radius meet at $90^\circ$

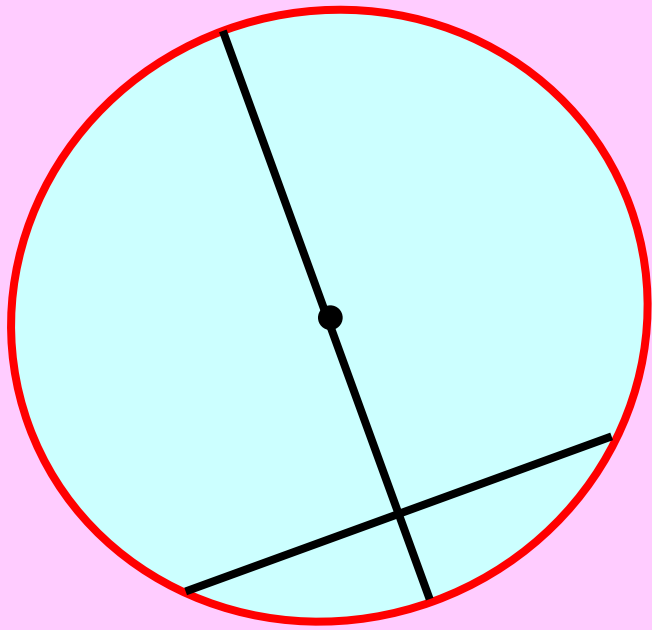


# Isosceles triangle formed by two radii

Why isosceles?  
Both radii which  
means they're  
the same length

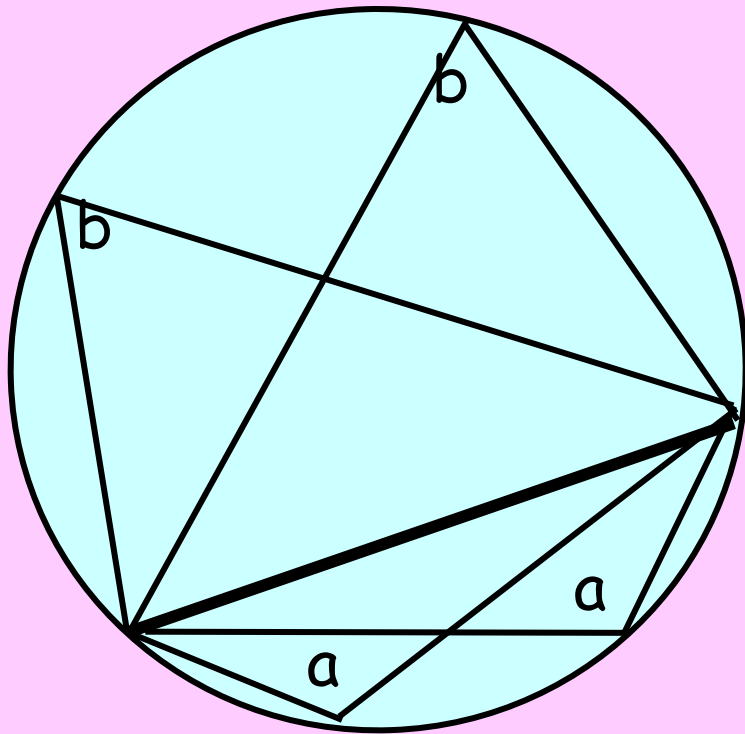


# Chord Bisector is a DIAMETER



A chord is any line drawn across a circle. No matter where you draw a chord, the line that cuts it exactly in half is ( $90^\circ$ ) will go through the centre of the circle

# Angles in the same segment are equal

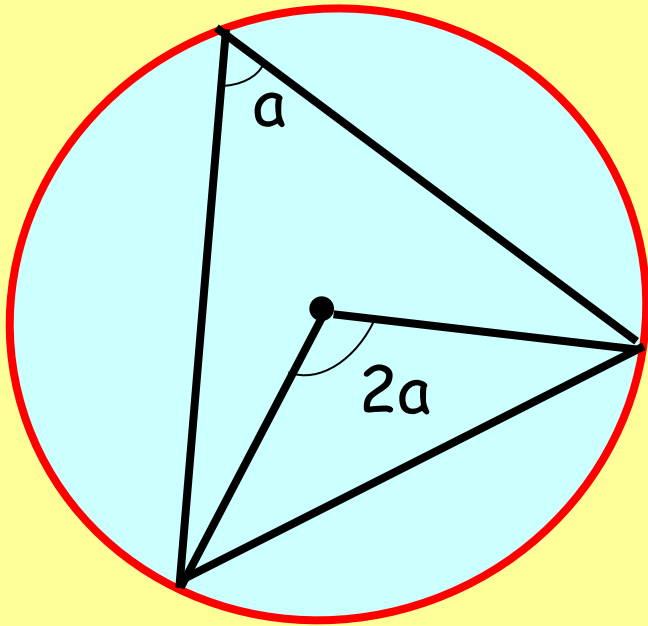


$$a + b = 180^\circ$$

All angles drawn from a chord will have the same angle where they touch the circle. Also the two angles on opposite sides of the chord add up to  $180^\circ$

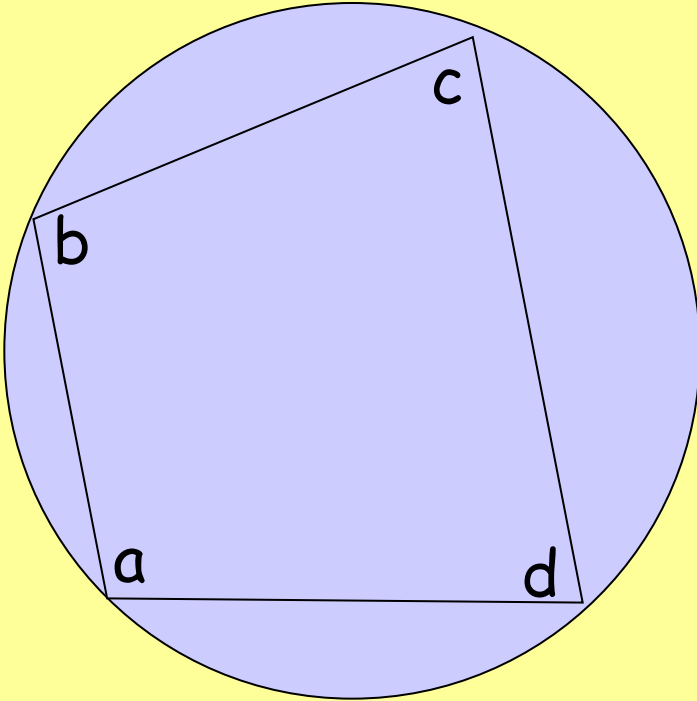


Angles at the centre is twice  
the angle at the edge



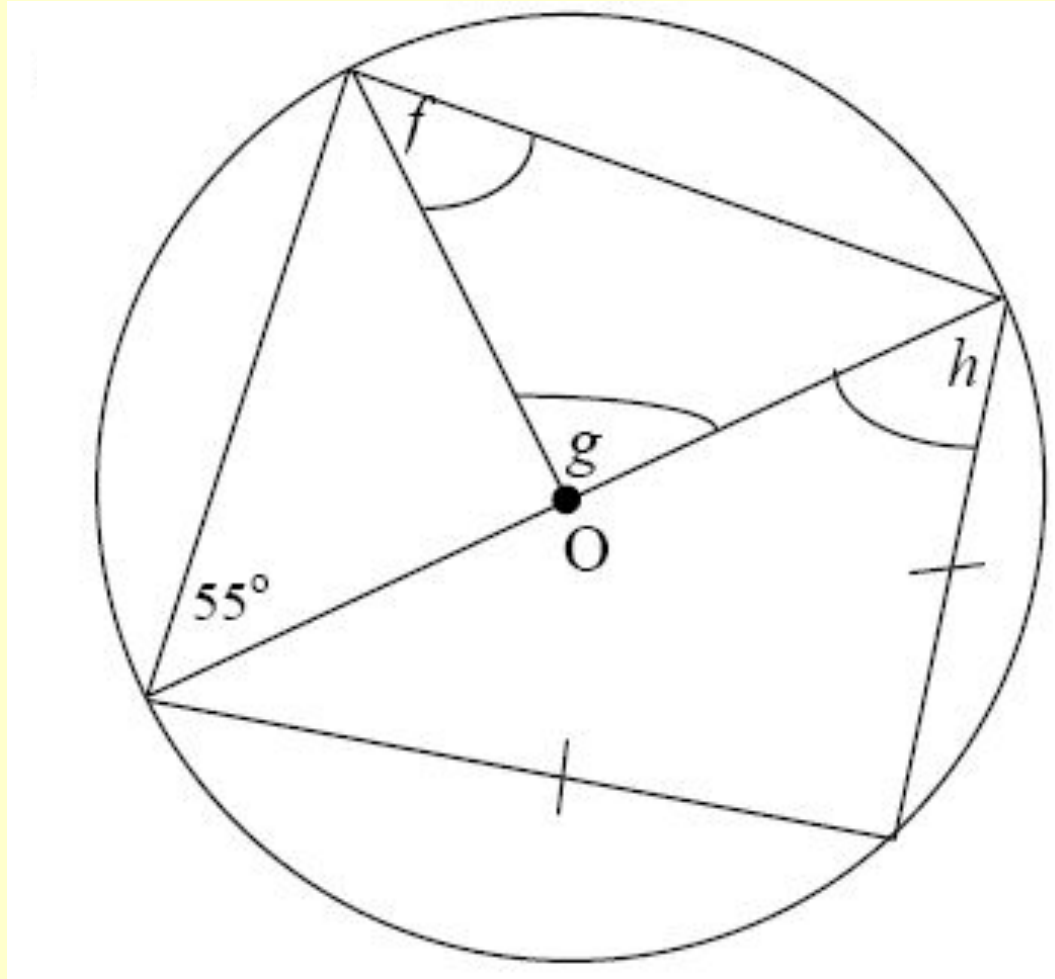
The angles made at the centre of the circle is double the angle made at the edge of the circle from the same two points (two ends of the chord)

# Opposite angles in a cyclic quadrilateral add up to $180^\circ$



A cyclic quadrilateral is a 4-sided shape with every corner touching the circle. Both pairs of opposite pairs of angles add up to  $180^\circ$

# Example 1



## Example 2

5)

