

# Economics of pricing and decision making

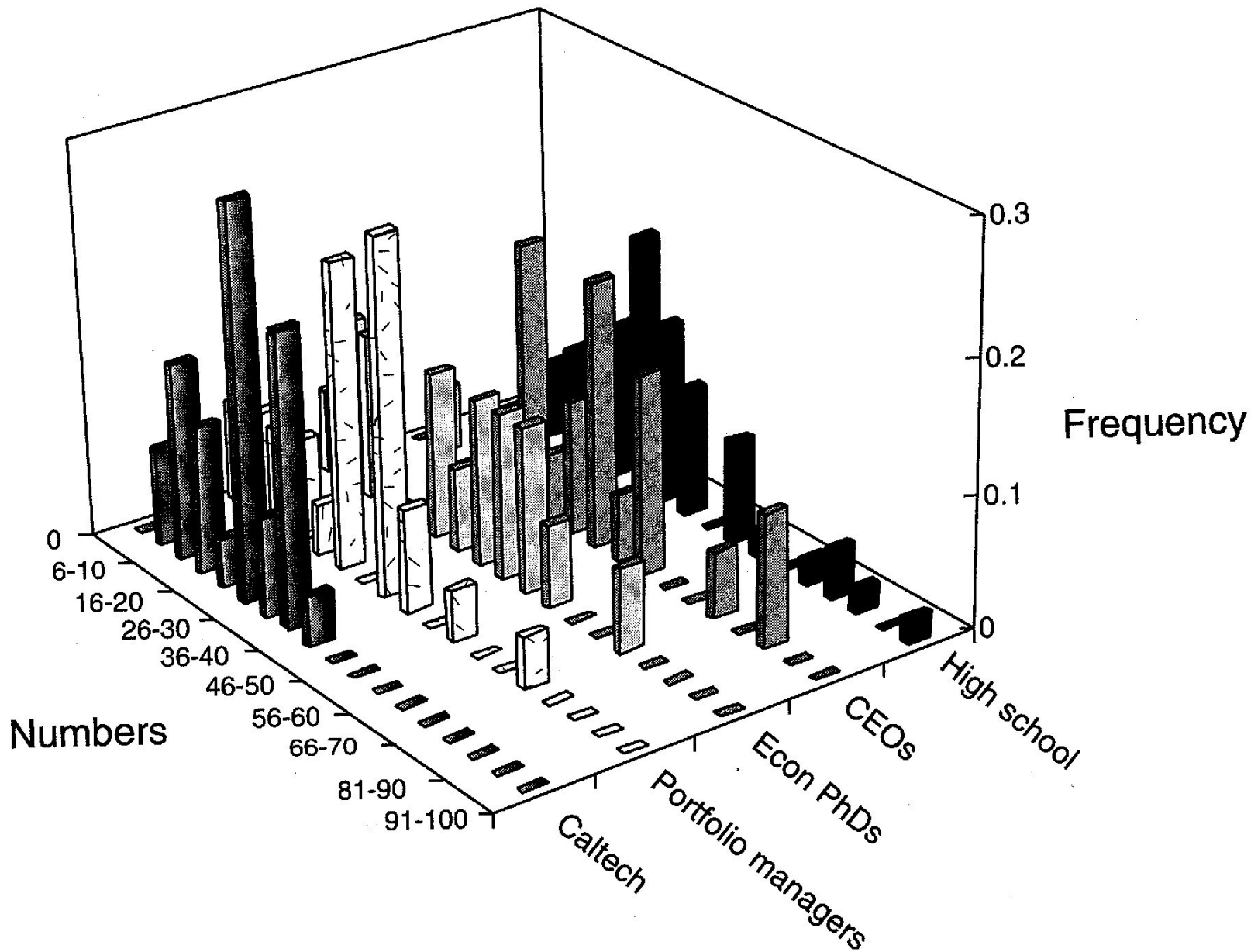
Seminar 1

# The guessing game

- Each of you have to declare a number between 0 and 100.

The winner is the person whose number is the closest to  $2/3$  of the average of all guesses.

**What is your guess?**



# The guessing game

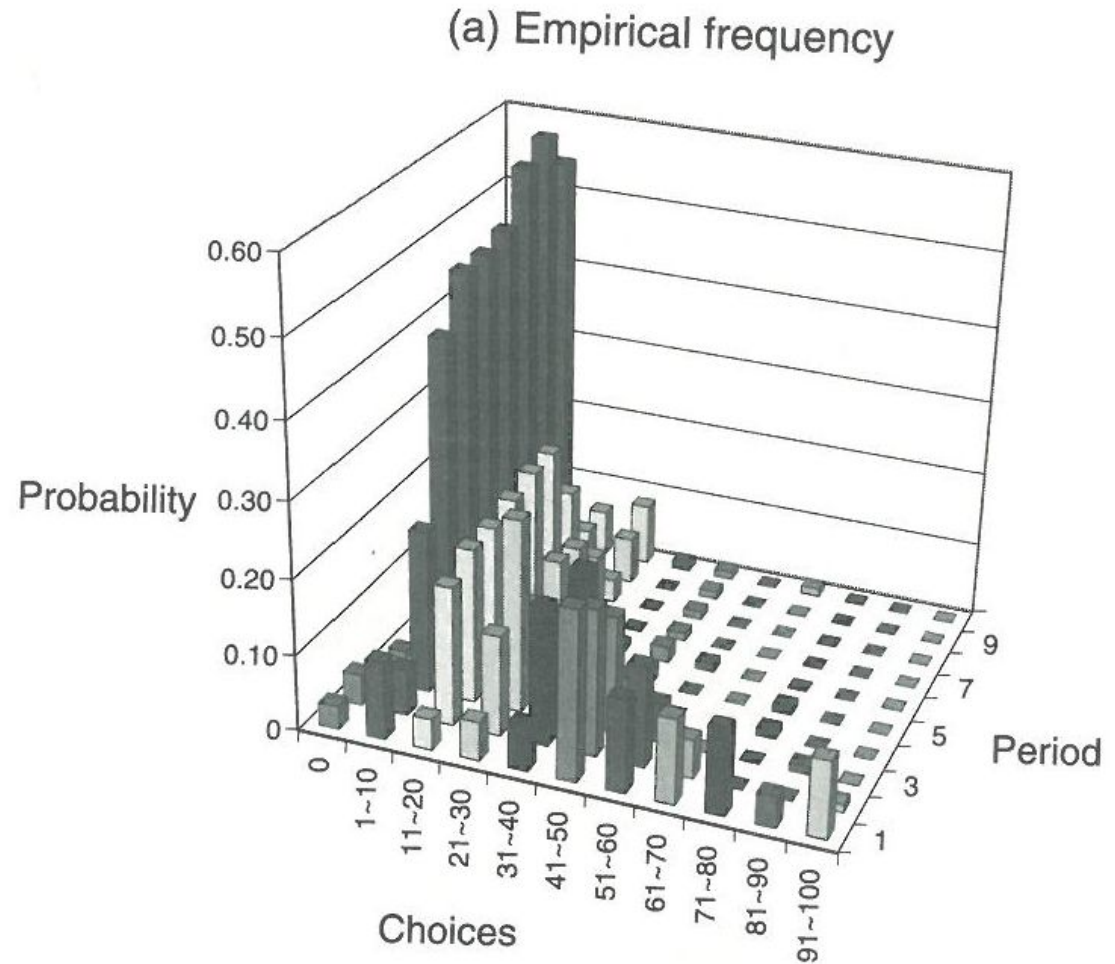
## Discussion

- Bounded rationality
  - People do not naturally use deep levels of strategic thinking. They just think 2-3 steps ahead.
- Players may be fully rational, however if a player believes that all other players will say a number  $N > 0$ , that player will declare  $N * 2/3 > 0$ .
  - If all players believe that the average guess will be high, this becomes a self-fulfilling prophecy.

# The guessing game

## Importance of repetition

- When the game is repeated, the average guess eventually goes down to 0.



# Q1

		V	W	X	Y	Z
A	9,5	8,7	5,6	3,6	9,2	
B	2,5	7,6	3,5	8,5	0,8	
C	7,3	1,4	5,2	4,1	9,7	
D	5,0	1,6	8,9	0,0	0,9	
E	4,4	3,8	9,6	2,9	1,2	

# Q1

		V	W	X	Y	Z
A	<u>9</u> ,5	<b><u>8,7</u></b>	5,6	3,6	<u>9</u> ,2	
B	2,5	7,6	3,5	<u>8</u> ,5	0, <u>8</u>	
C	7,3	1,4	5,2	4,1	<b><u>9,7</u></b>	
D	5,0	1,6	8, <u>9</u>	0,0	0, <u>9</u>	
E	4,4	3,8	<u>9</u> ,6	2, <u>9</u>	1,2	

# Q2

	q	1-q
p	2,2	4,3
1-p	4,5	3,3

- Player 1:  
 $2q+4(1-q)=4q+3(1-q)$   
Implies  $q=1/3$
- Player 2:  
 $2p+5(1-p)=3$  implies  $p=2/3$



# Q3

- Monopoly:

$$\pi_M = Q(100 - 0.5Q) - 20Q = 80Q - 0.5Q^2$$

$$\frac{\partial \pi_M}{\partial Q} = 0 \Rightarrow 80 - Q = 0 \Rightarrow Q = 80$$

$$P = 60$$

$$\pi_M = 3200$$

- Perfect competition:

$P=100-1/2Q=20$ , thus  $Q=160$  and zero profit.

- Cournot:

$$\pi_1 = q_1 \times (100 - 0.5 \times (q_1 + q_2)) - 20q_1$$

$$= 80q_1 - \frac{1}{2}q_1^2 - \frac{1}{2}q_1q_2$$

$$\frac{\partial \pi_1}{\partial q_1} = 80 - q_1 - \frac{1}{2}q_2 = 0 \Rightarrow q_1 = 80 - \frac{1}{2}q_2$$

- $q_1 = q_2 = 53.3$

- $P = 46.6$

- $\Pi_1 = \Pi_2 = 1422$

- Cournot with unequal costs:

$$\pi_1 = q_1 \times (100 - 0.5 \times (q_1 + q_2)) - 10q_1$$

$$= 90q_1 - \frac{1}{2}q_1^2 - \frac{1}{2}q_1q_2$$

$$\frac{\partial \pi_1}{\partial q_1} = 90 - q_1 - \frac{1}{2}q_2 = 0 \Rightarrow q_1 = 90 - \frac{1}{2}q_2$$

–  $q_1=66.6$ ;  $q_2=46.6$

–  $P=44.1$

- Stackelberg:

$$\pi_1 = 80q_1 - \frac{1}{2}q_1^2 - \frac{1}{2}q_1q_2$$

$$= 80q_1 - \frac{1}{2}q_1^2 - \frac{1}{2}q_1(80 - \frac{1}{2}q_1) = 40q_1 - \frac{1}{4}q_1^2$$

$$\frac{\partial \pi_1}{\partial q_1} = 40 - \frac{1}{2}q_1 = 0 \Rightarrow q_1 = 80$$

–  $q_1=80$ ;  $q_2=40$

–  $P=40$

–  $\Pi_1=1600$ ;  $\Pi_2=800$

# Q4

- Table:

Candidate	Technical	Presentation	Motivation
A	1	0	0
B	0	1	0
C	1	1	0
D	0	0	1
E	0	1	1

Candidate	Technical	Motivation
C	1	0
E	0	1

# Q5

incumbent

	TV	Sales reps
entrant	TV	3,7
	1,9	3,7
	Sales reps	1,9
	3,7	1,9

	TV	Sales reps
entrant	TV	-2,-1
	-2,-2	-2,-1
	Sales reps	-1,-1
	-1,-2	-1,-1

	TV	Sales reps
entrant	TV	<b>1,6</b>
	-1, <b>7</b>	<b>1,6</b>
	Sales reps	<b>0,8</b>
	<b>2,5</b>	<b>0,8</b>

- Mixed strategies

		TV p	Sales reps 1-p
TV q		-1,7	1,6
Sales reps 1-q		2,5	0,8

- Entrant:  $-1p+1-p=2p$ ,  $p=1/4$
- Incumbent:  $7q+5(1-q)=6q+8(1-q)$ ,  $q=3/4$
- Entrant:  $\pi=0.5$
- Incumbent:  $\pi =6.5$

# Q6

