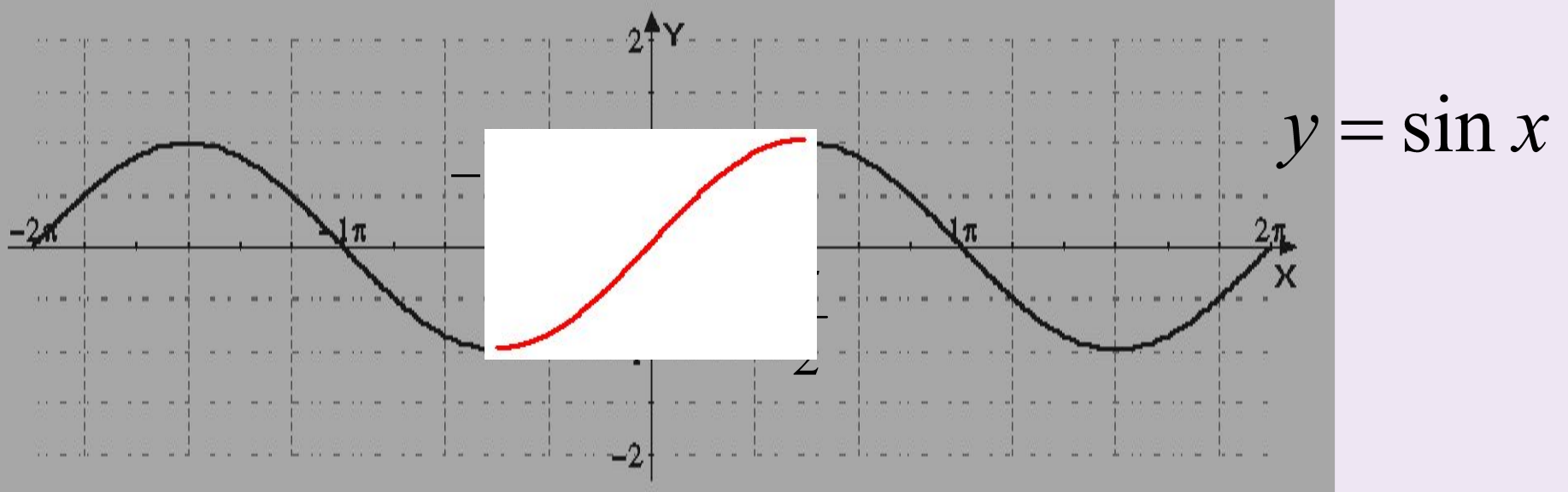


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# ОБРАТНЫЕ ТРИГОНОМЕТРИЧЕСКИЕ ФУНКЦИИ

*Учитель математики Потапова Е.А.*



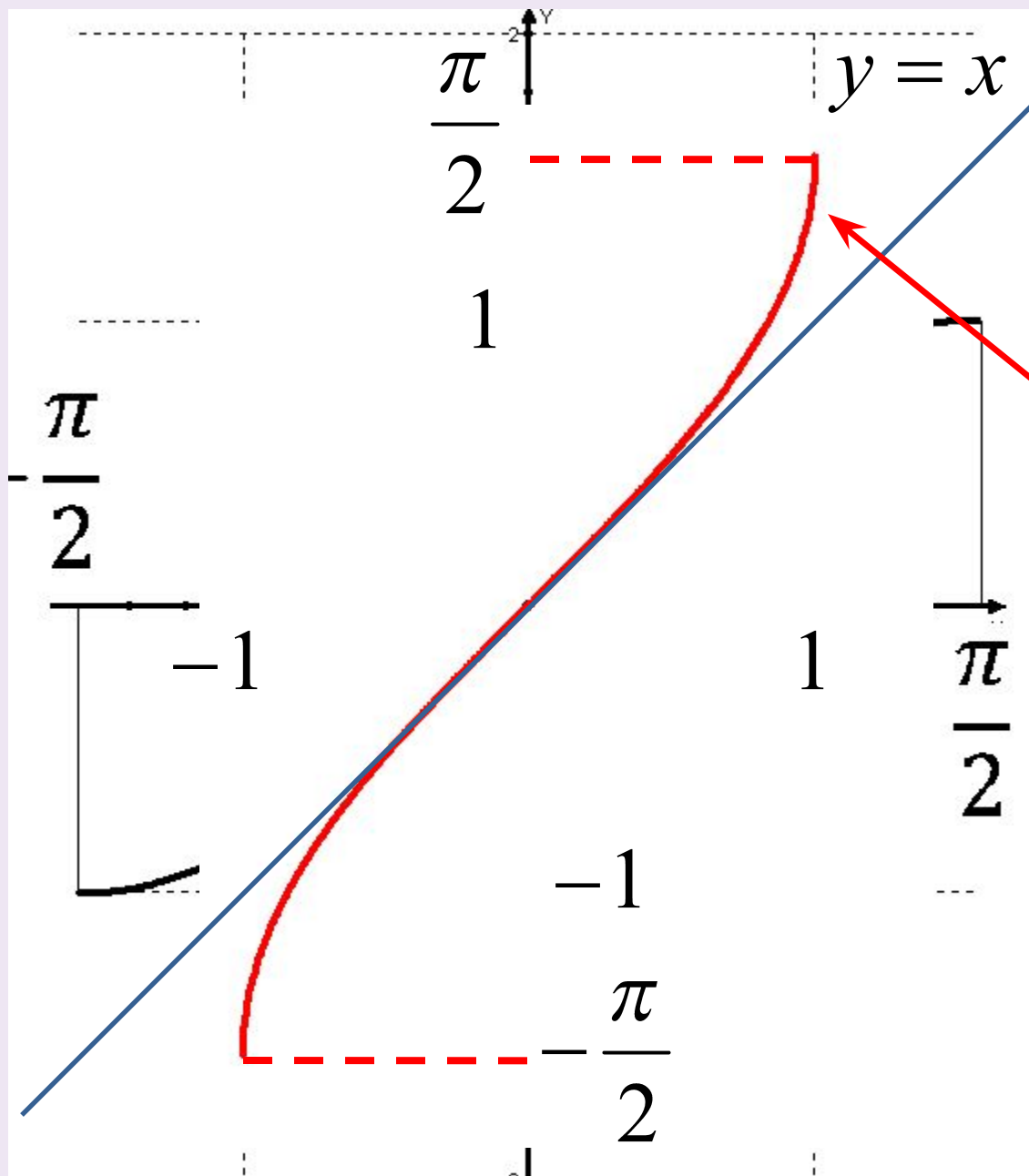
$$D(y) = (-\infty; \infty), \quad E(y) = [-1; 1].$$

Επιλέγουμε το όρισμα  $y = \sin x$ ,

$$\text{όπου} \quad x \in \left[-\frac{\pi}{2}; \frac{\pi}{2}\right],$$

το οποίο ορίζεται από την,

σχέση  $\sin x = y$  .



$$y = \sin x$$

Αὐτὰρ ὁ

$$x = \arcsin y$$

ἰσθαιίαια ÷ èì

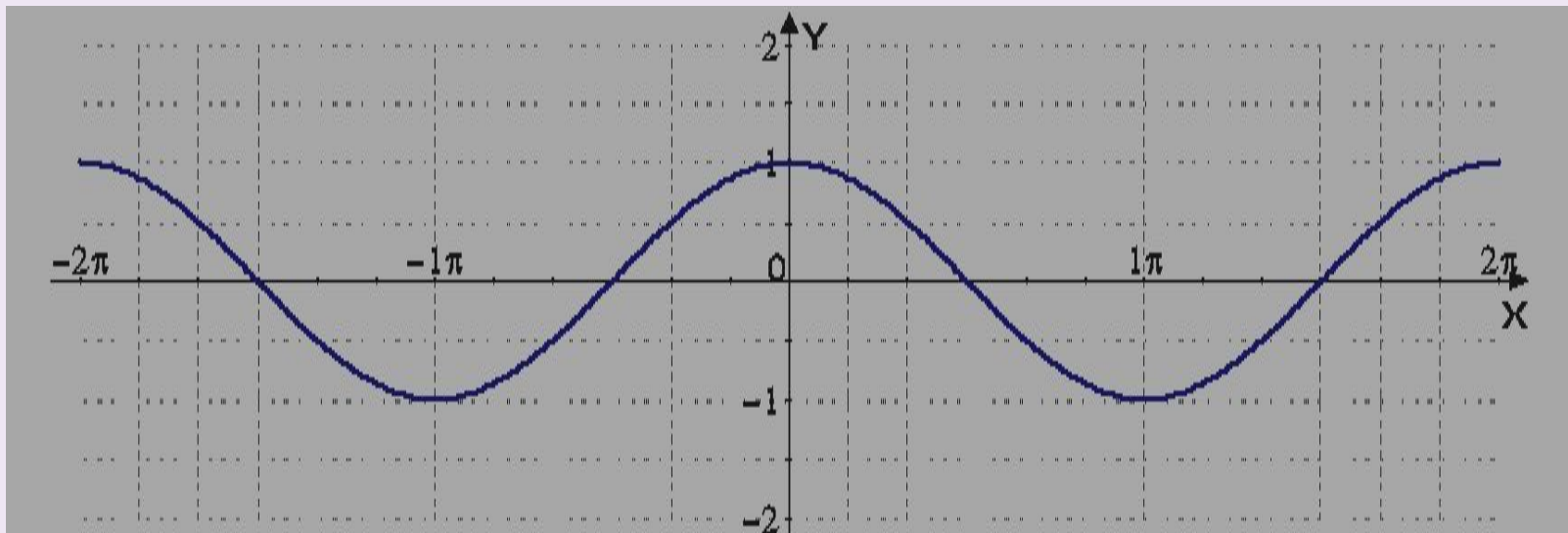
ὁ è ó.

ἰἔó ÷ èì ὀίέöèρ

$$y = \arcsin x$$

$$D(y) = [-1; 1]$$

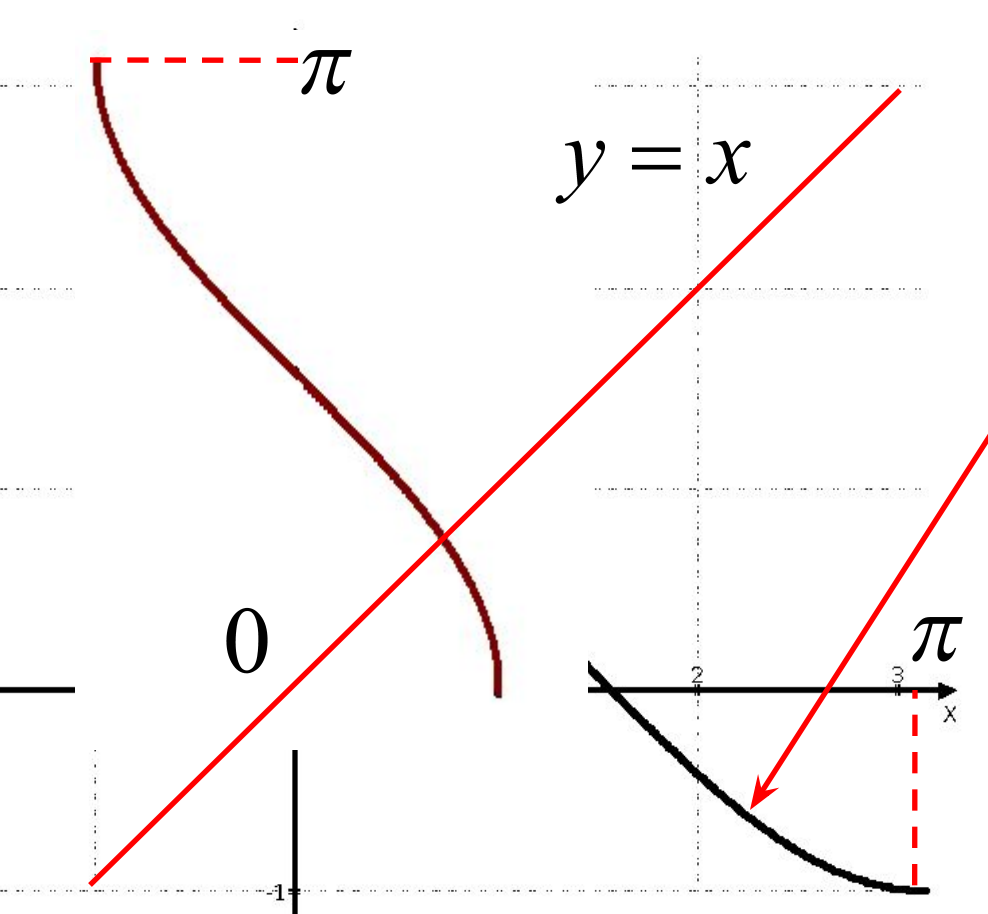
$$E(y) = \left[-\frac{\pi}{2}; \frac{\pi}{2}\right]$$



$$y = \cos x$$

$$D(y) = (-\infty; \infty)$$

$$E(y) = [-1; 1]$$



*Ἐὰν ἴσῃ ἡ ἄνωξις*

$$y = \cos x$$

*ἢ ἡ ἀνωξις ἐστὶν ἡ ἀνωξις*  $[0; \pi]$

$$E(y) = [-1; 1]$$

*Ἡ ἀνωξις ἐστὶν ὁ*

$$x = \arccos y$$

*ἢ ἡ ἀνωξις ἐστὶν ὁ*

$$y = \arccos x$$

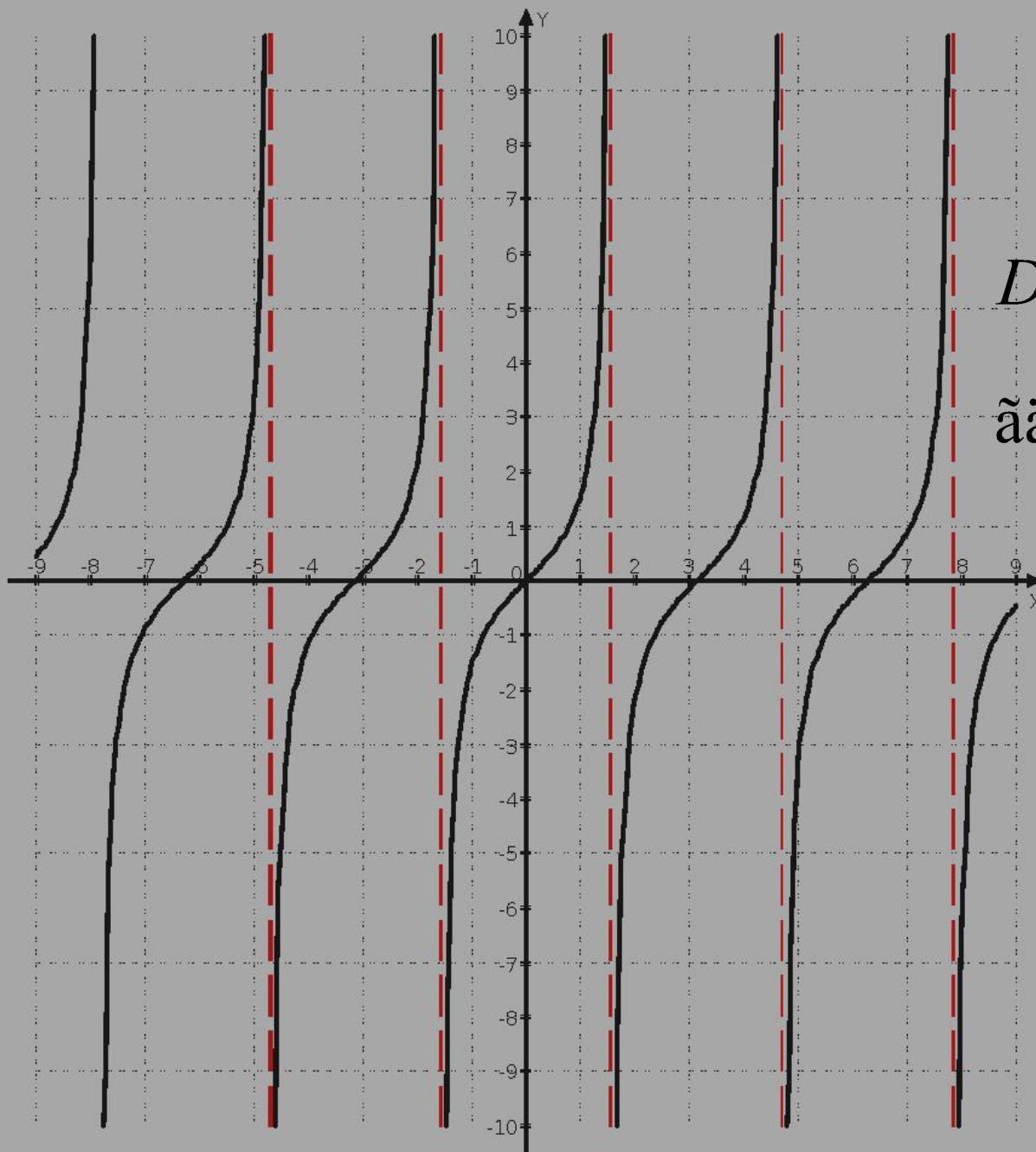
$$D(y) = [-1; 1]$$

$$E(y) = [0; \pi]$$

*Ἡ ἀνωξις ἐστὶν ἡ ἀνωξις* ,

*ἢ ἡ ἀνωξις ἐστὶν ὁ*

*$y = \cos x$  ἢ ἡ ἀνωξις* .



$$y = \operatorname{tg} x$$

$$D(y): x \neq \frac{\pi}{2} + \pi n,$$

ãää n - öäëîå.

$$E(y) = R.$$

Ανάλυση ιδιαιτερότητες ,

$$y = x$$

ή εϊοϊδϊ οοίεöèÿ

$$y = \operatorname{tg} x \text{ ή } \operatorname{tg}^{-1} y$$

ÿοί ιδιαιτερότητες

$$\left(-\frac{\pi}{2}; \frac{\pi}{2}\right)$$

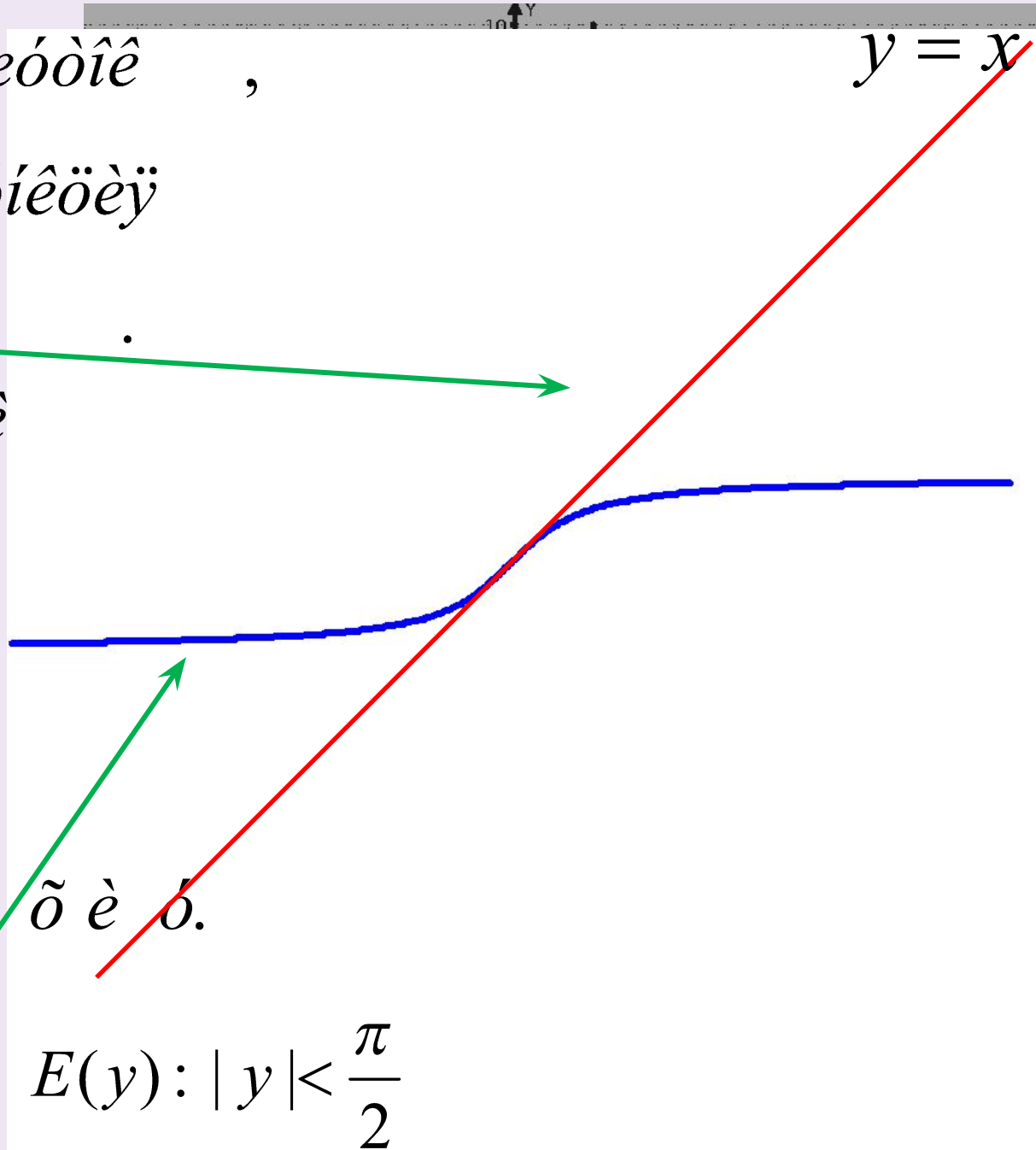
Ανάλυση ð

$$x = \operatorname{arctg} y$$

ιδιαιτερότητες ð è ð.

$$y = \operatorname{arctg} x$$

$$D(y) = (-\infty; +\infty), \quad E(y) : |y| < \frac{\pi}{2}$$



$$\arcsin \frac{1}{\sqrt{3}} \quad \text{И} \quad \arcsin \frac{2}{\sqrt{10}}$$

Сравнить числа:

$$\arcsin \left( -\frac{2}{3} \right) \quad \text{И} \quad \arcsin \left( -\frac{3}{4} \right)$$

$$\arccos \frac{1}{\sqrt{3}} \quad \text{И} \quad \arccos \frac{1}{\sqrt{5}}$$

$$\arccos \left( -\frac{4}{5} \right) \quad \text{И} \quad \arccos \left( -\frac{1}{3} \right)$$

$$\arctg 2\sqrt{3} \quad \text{И} \quad \arctg 3\sqrt{2}$$

$$\arctg \left( -\frac{1}{\sqrt{2}} \right) \quad \text{И} \quad \arctg \left( -\frac{1}{\sqrt{5}} \right)$$